

**GAYATRI VIDYA PARISHAD COLLEGE FOR DEGREE AND PG COURSES (A)**

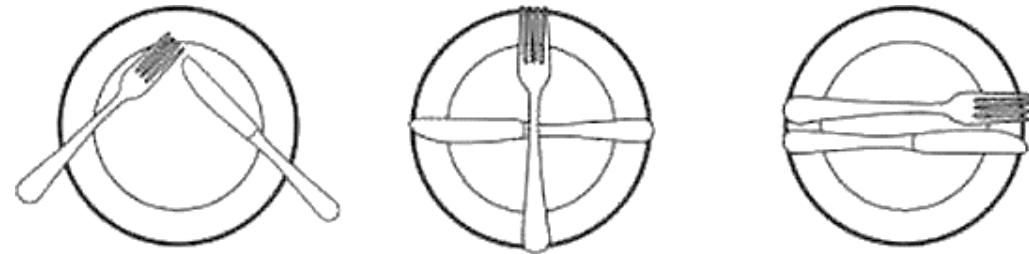
**ENGINEERING AND TECHNOLOGY PROGRAM**

**I/IV B.Tech. I Semester**

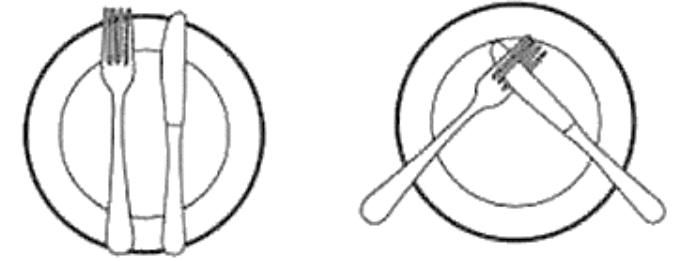


**ENGINEERING GRAPHICS**

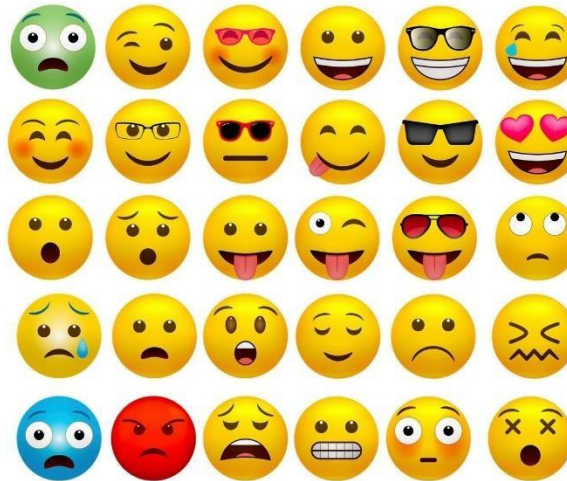
# Communication



PAUSE    READY FOR SECOND PLATE    EXCELLENT



FINISHED    DO NOT LIKE



# ENGINEERING GRAPHICS

Engineers use graphics to communicate technical information without ambiguity to executives, fabricators, customers, and each other

# Elements of Engineering Drawing

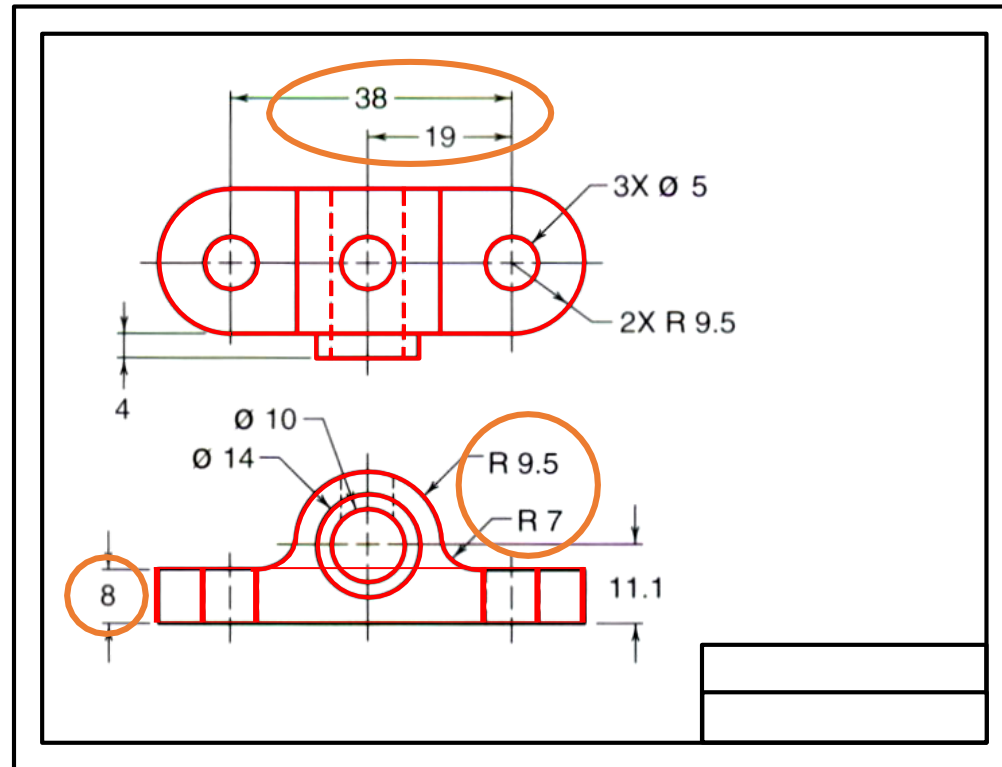
Engineering drawing are made up of **graphics language** and **word language**.

## Graphics language

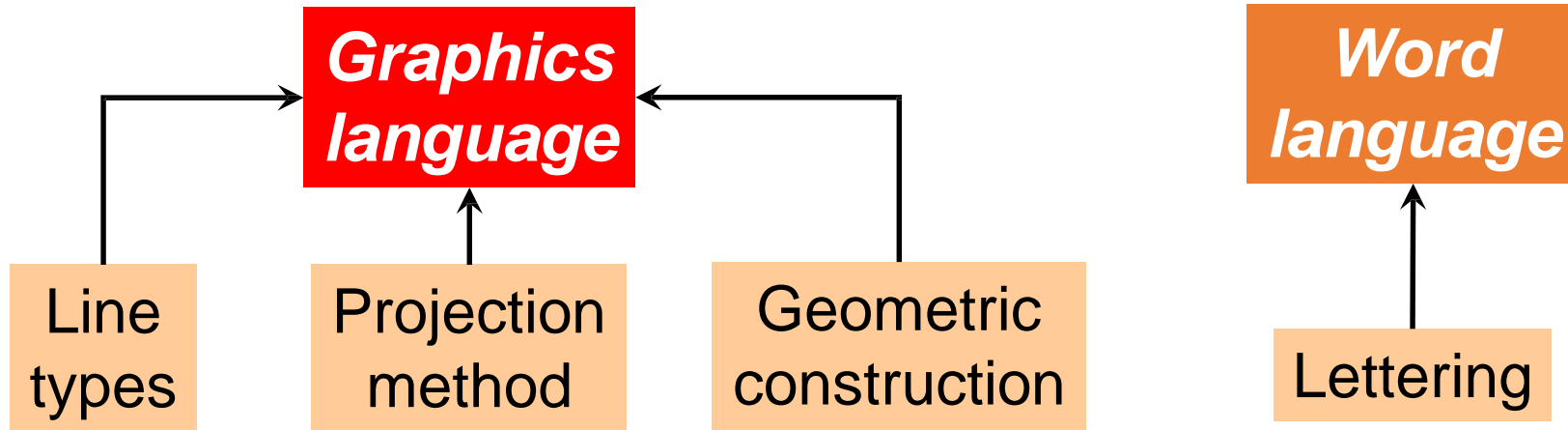
Describe a shape (mainly).

## Word language

Describe size, location and specification of the object.



# Basic Knowledge for Drafting



# Composition of Graphic Language

Graphic language in “**engineering application**” use *lines* to represent the *surfaces*, *edges* and *contours* of objects.

- The language is known as “*drawing*” or “*drafting*” .
- A drawing can be done using *freehand*, *instruments* or *computer* methods.

# Course Objectives

1. The course is aimed at developing Basic Graphic skills
2. Develop skills in preparation of basic drawings
3. Skills in reading and interpretation of engineering drawings

# Syllabus

Unit 1: Introduction to geometrical construction and Curves

Unit 2: Projection of points and straight lines

Unit 3: Projection of planes

Unit 4: Projection of solids

Unit 5: Isometric Views



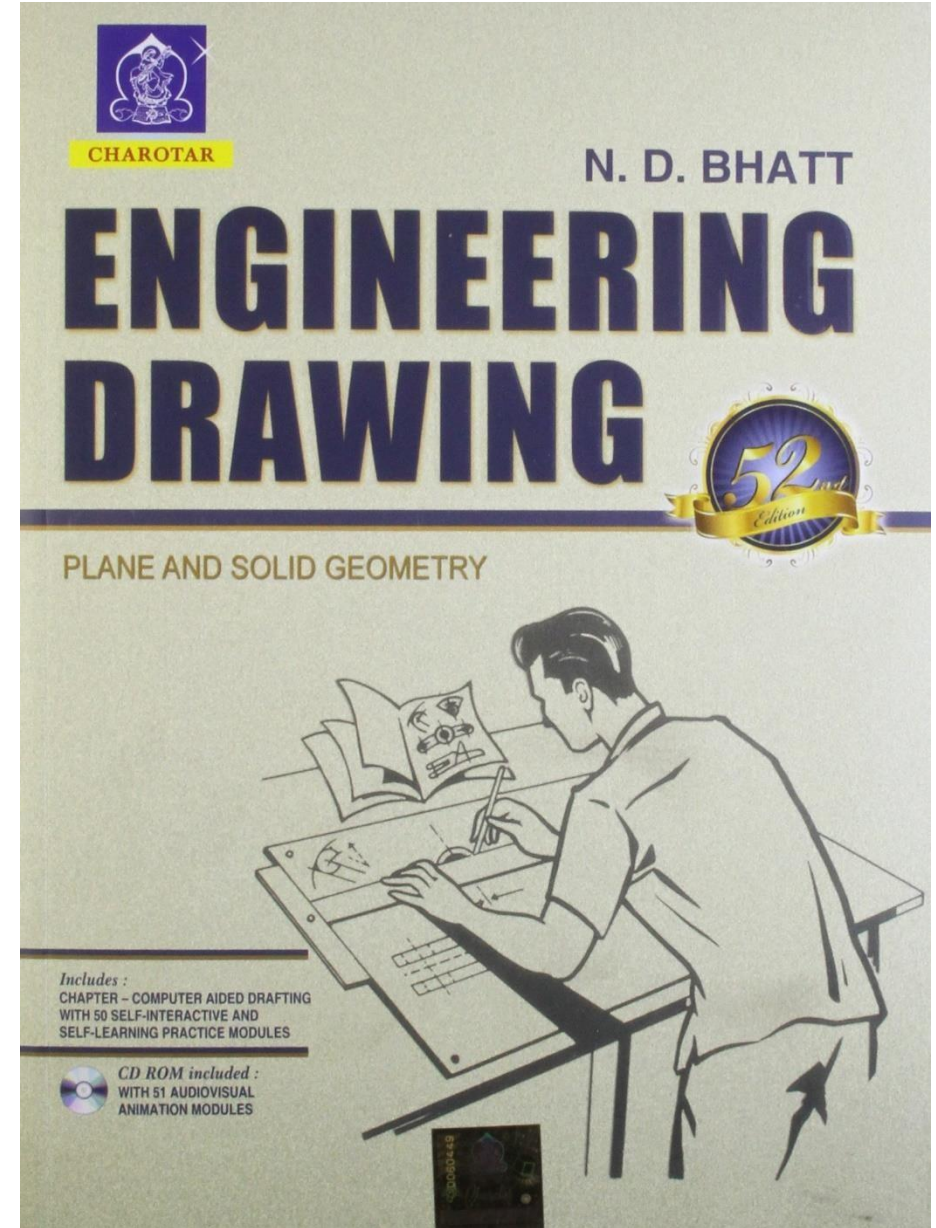
# Course Outcomes

At the end of this course, the student will be able to:

CO	Outcome
CO 1	Graphically construct and understand, the importance of mathematical curves in Engineering applications.
CO 2	Graphically Visualize and construct orthographic projection of points and lines.
CO 3	Visualize and construct different views of planes in different orientations.
CO 4	Visualize and construct different views of solids in different orientations.
CO 5	Interpret and draw the orthographic and isometric views of different solids.

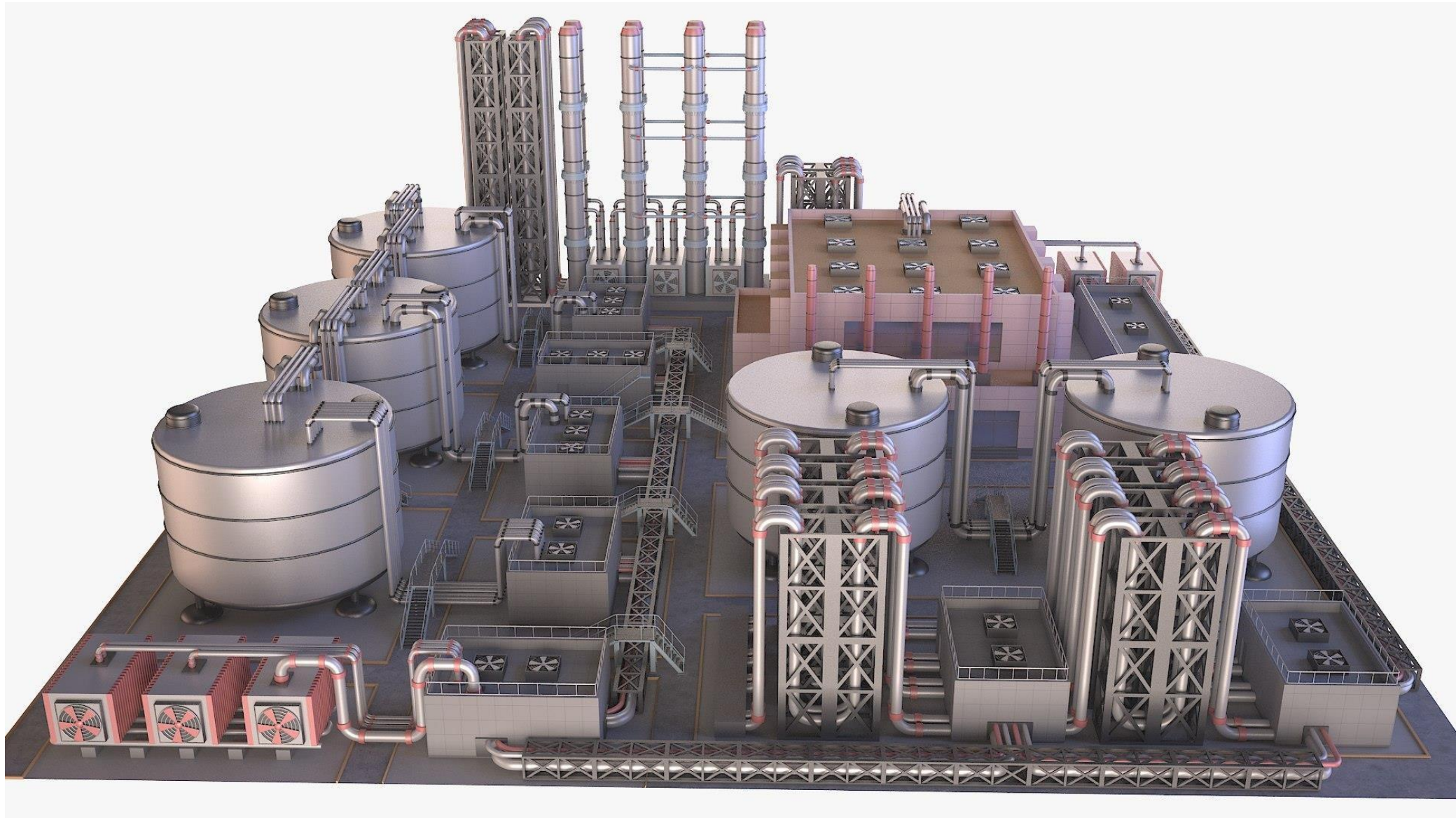
# TEXT BOOK

Elementary Engineering Drawing by  
N.D. Bhatt, Charotar Publishing  
House.





**Computer Aided Design (CAD)**



# Introduction – Tools Required

- So what things are generally required to draw any diagram:
  - Paper
  - Pencil
  - Scale
  - Eraser
  - Curving and angular tools.
  - Drawing board & Clips
- So let us discuss about each of these individually

# 1. Paper

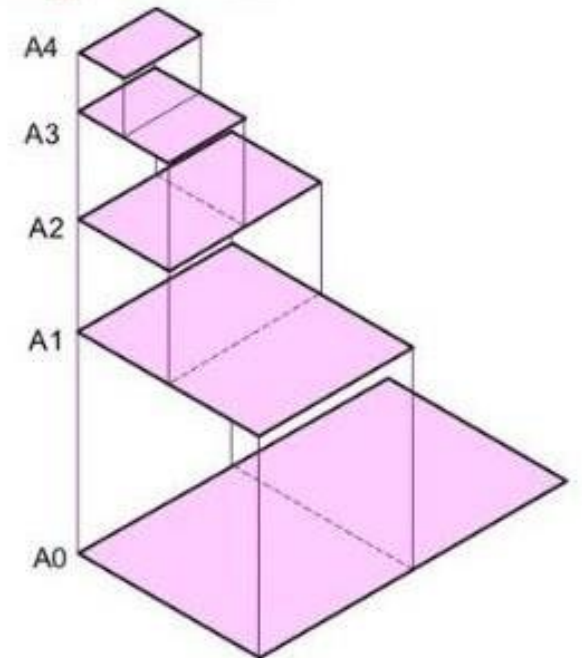
- How many sizes of white papers are there actually..?
  - As per the BIS, there are 6 paper sizes available.
- So what are they..?
  - A0 - 841 mm × 1189 mm
  - A1 - 594 mm × 841 mm
  - A2 - 420 mm × 594 mm
  - A3 - 297 mm × 420 mm
  - A4 - 210 mm × 297 mm
  - A5 - 148 mm × 210 mm



## Drawing Sheet

- Trimmed paper of a size A0 ~ A4.
  - Standard sheet size (JIS)
- |    |            |
|----|------------|
| A4 | 210 x 297  |
| A3 | 297 x 420  |
| A2 | 420 x 594  |
| A1 | 594 x 841  |
| A0 | 841 x 1189 |

*(Dimensions in millimeters)*



## 2. Pencil

- How many pencils do you know...?
  - Lead pencil
  - Color pencils
  - Crayons etc...
- What do we actually use...?
  - Generally we use black color lead pencil.
- So can we use any black lead pencil for EG..?
  - No
- So how to differentiate between the available black pencils in market..?
  - By the grade of the pencil, which is usually shown by fig. and letters marked at its end.
- As per BIS, the pencil grades are denoted by letters H and B

## 2. Pencil

- **H**

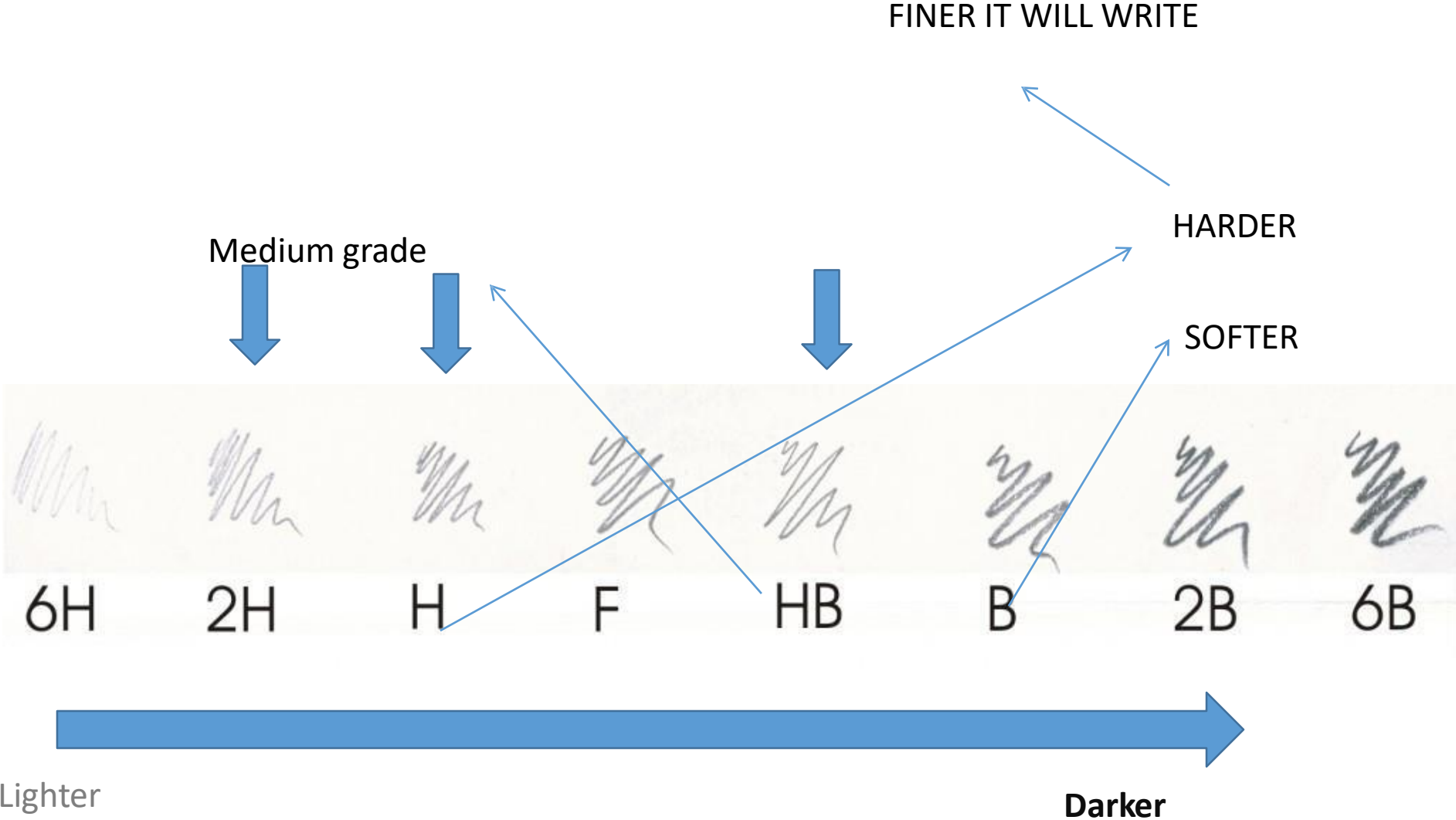
- H indicates the hardness/thickness of the pencil
- The increase in hardness/thickness is shown by the values put in front of the letter.
- The available pencils in the market are : H, 2H, 3H and so on.

- **B**

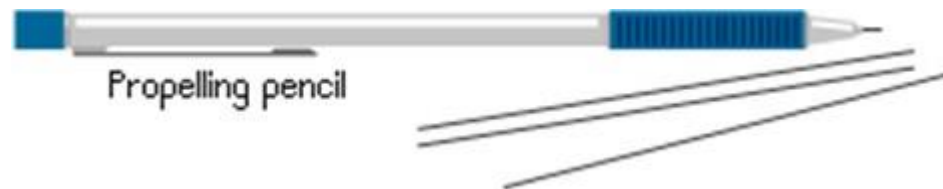
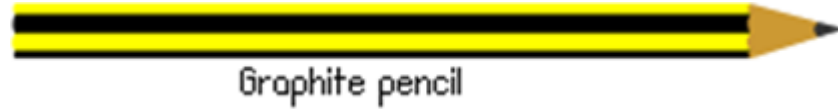
- B indicates the softness of the pencil
  - Increase in number before B says that the pencil writes most softly/lightly.
  - Available pencils are: B, 2B, 3B and so on.
- H, B and HB pencils are more suitable for beginners.



# What kind of pencils you need for drawing?



# Different types of pencils

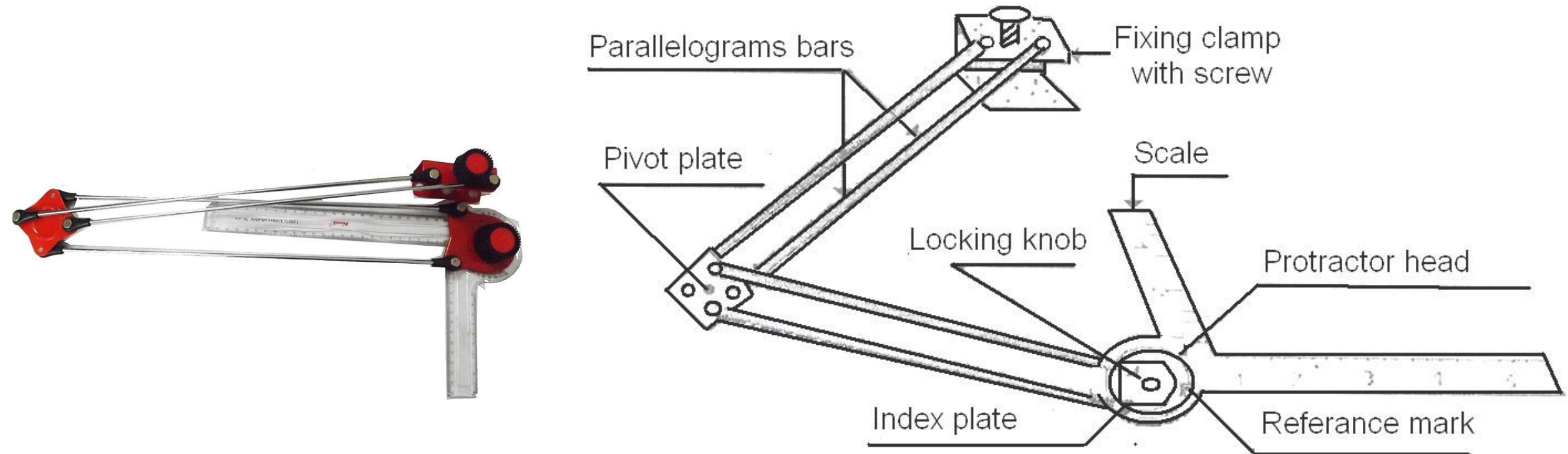


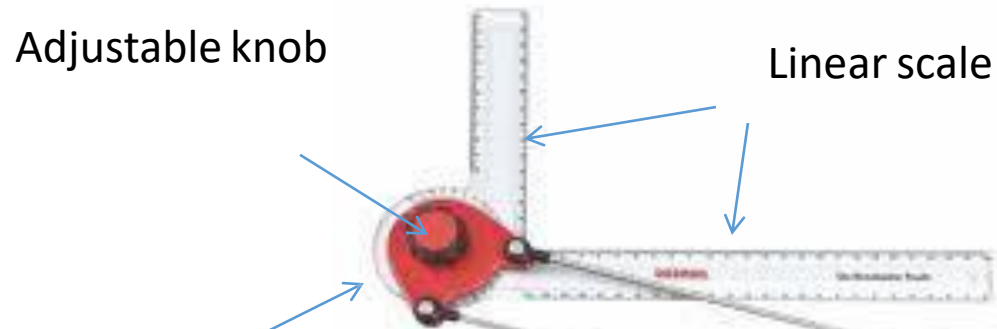
# 3. Scale

- What is the size of our A1 Paper ..?
  - 594 mm × 841 mm
- So can we use any scale and reach the end from the beginning ..?
- What is the alternative then..?
  - Drafter.

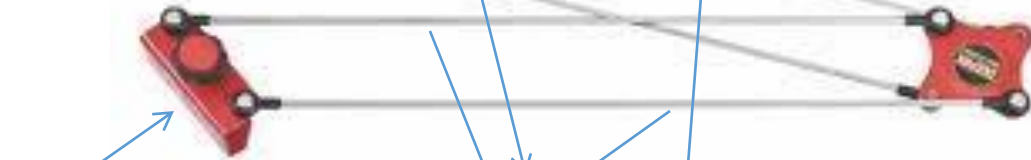
# Drafter:

- What is the advantage of a drafter..?
  - It can able to reach any point in the A1 paper.
  - It has two scales which can be used to draw perpendicular lines.
  - The perpendicular scales can rotate to any specific angles also.





Angular scale



Clamping knob

Mini drafter

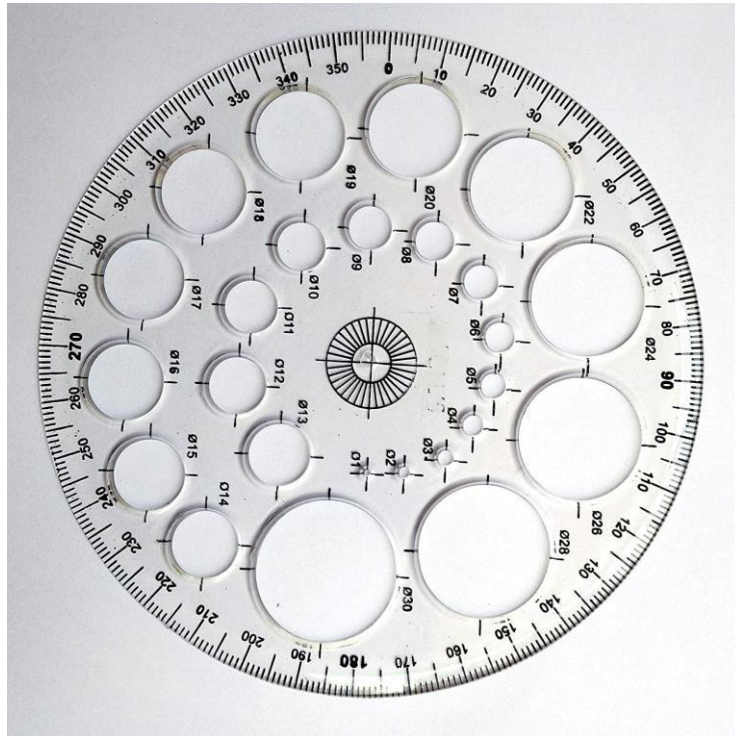


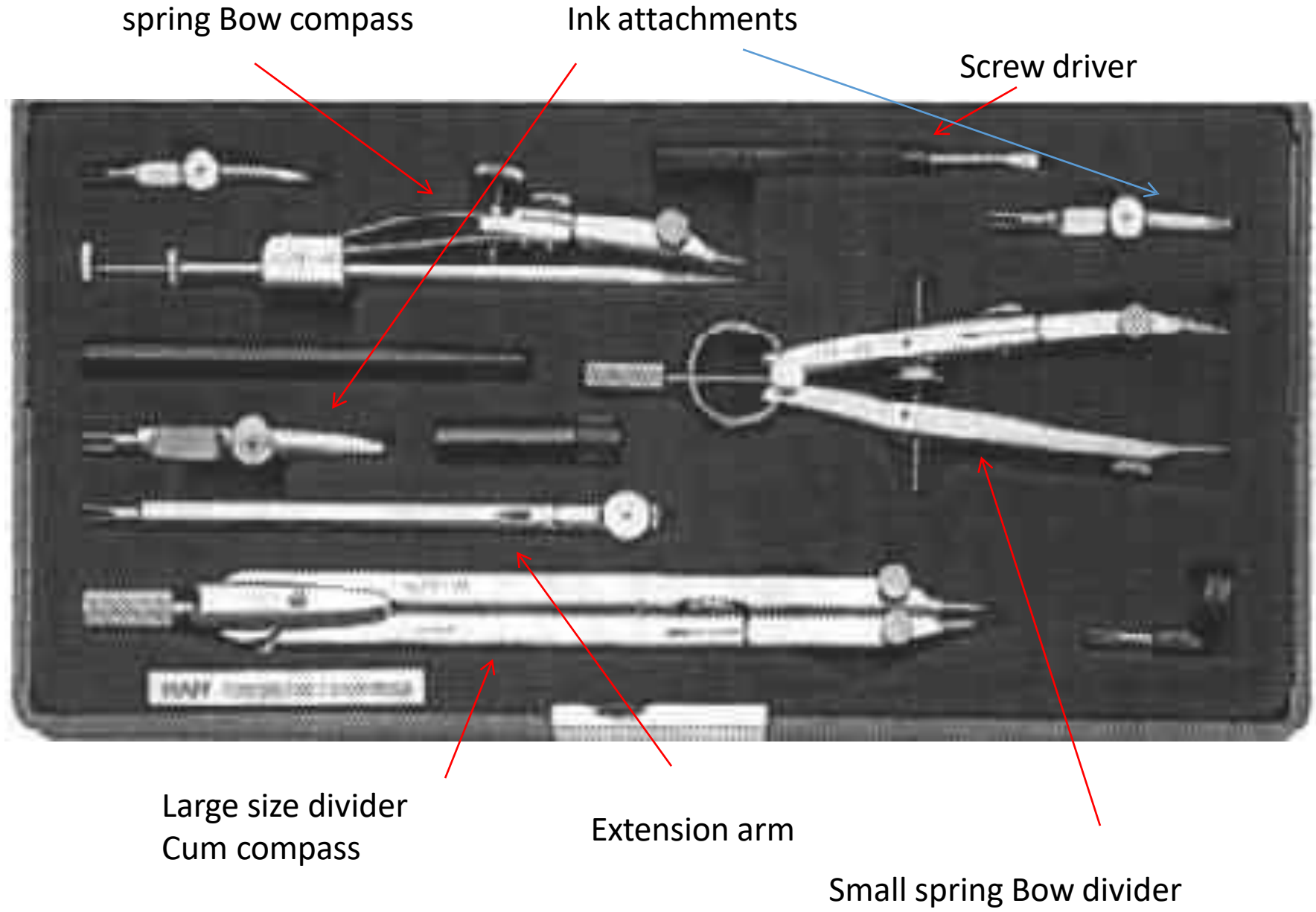
Bar plate

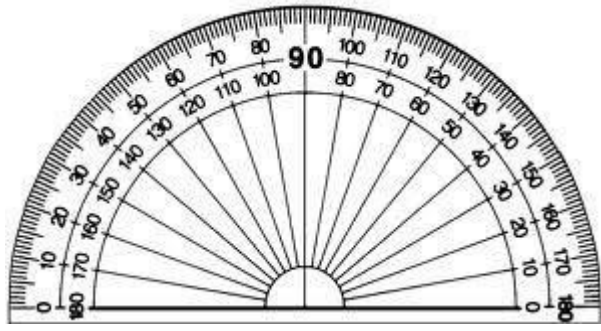
T-Squares

## 5. Curving and angular tools

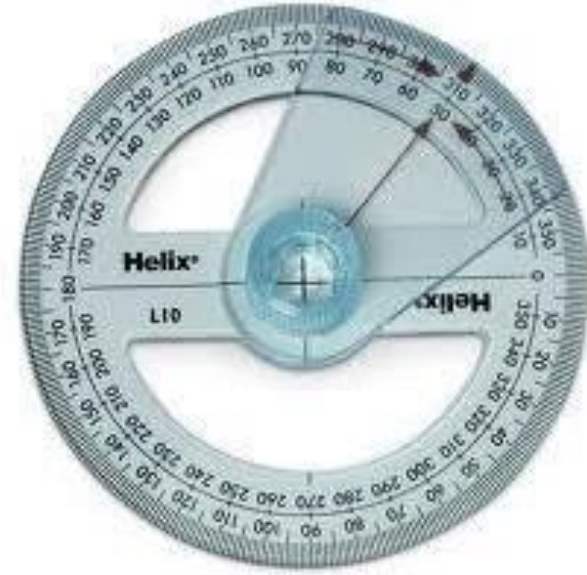
- There are certain tools which are used to draw smooth curves, we call them as French curves.
- And for angular tools we can use protractor and compass.



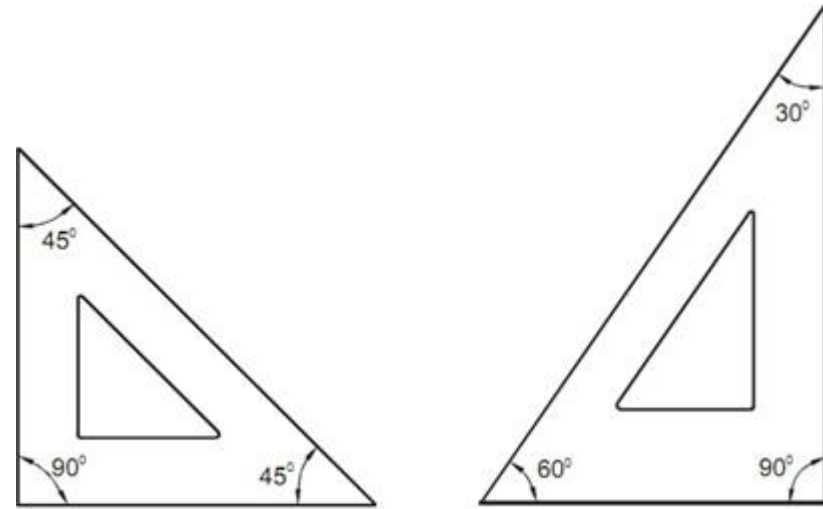




protractor



French curves



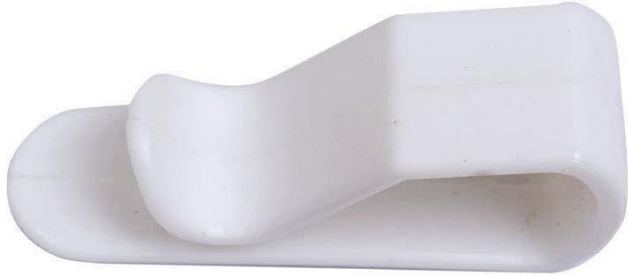
(a) 45° Square

(b) 30°-60° Set-square

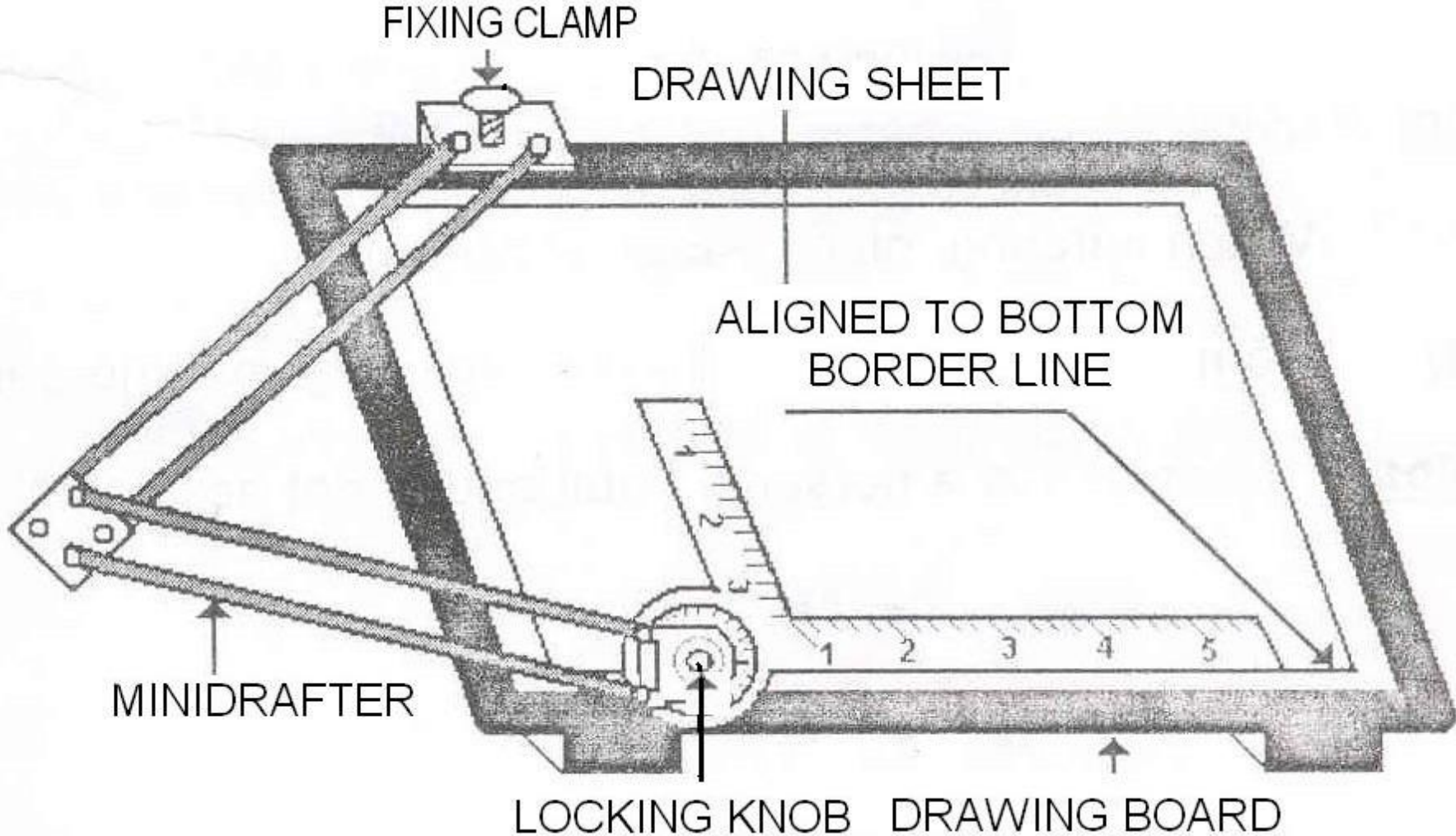
Set squares



# 6. Drawing Board & Clips

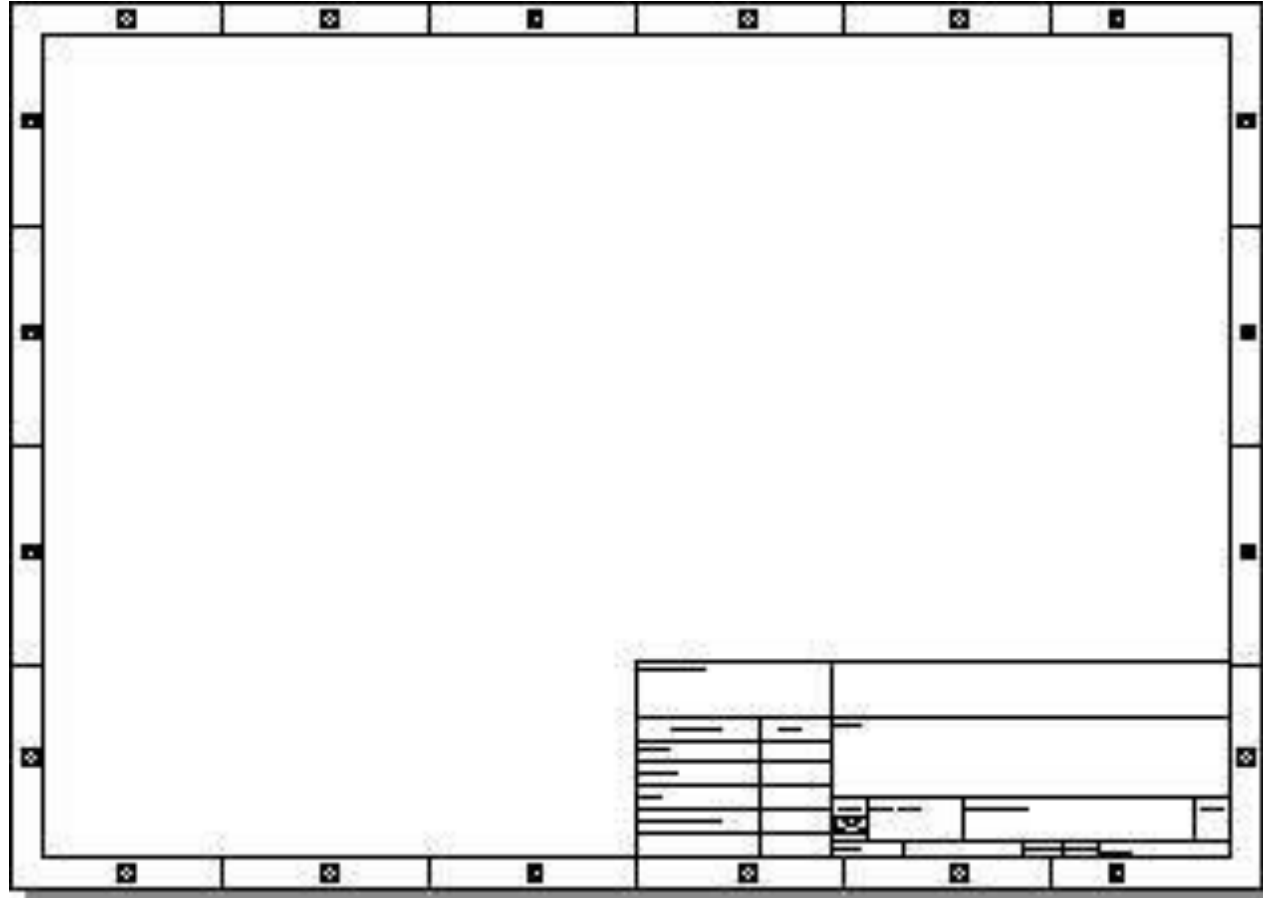


# Drawing sheet arrangement



# Drawing sheet border lines

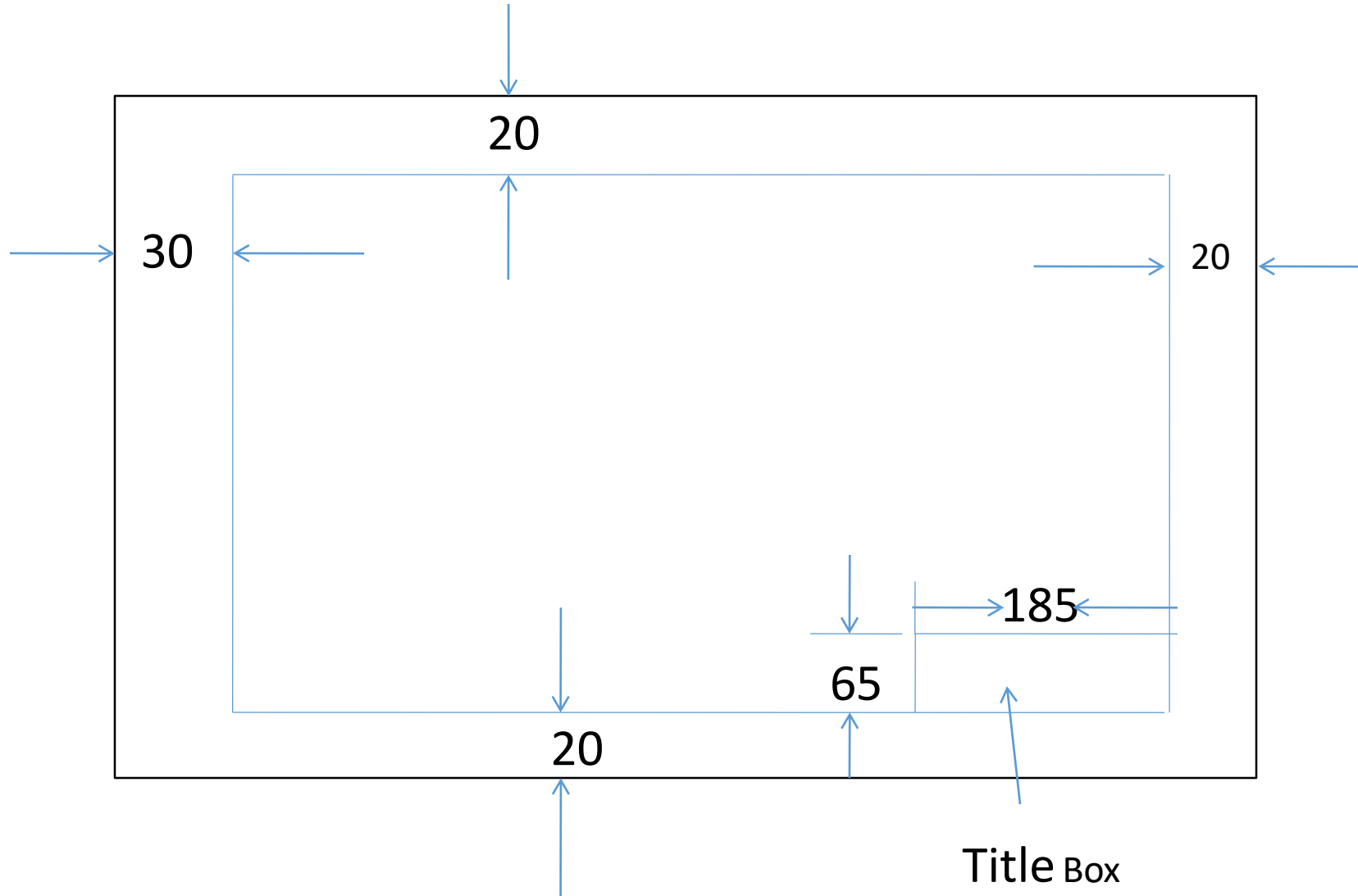
- Why do we need to draw border lines for a drawing sheet..?
  - Working area.
- How do we need to draw the border lines..?



Traditional Drawing Sheet

# Title Block

- Why title block is needed..?
  - It indicates the particulars of the drawing sheet
- What are the particulars indicated by the title block..?
  - Name
  - Roll number
  - Class
  - College
  - Sheet number
  - Date
  - Title of the sheet
  - Scale
  - All dimensions are in mm
  - View of the sheet.



20

30

20

USE HB PENCIL TO DRAW THIS

130

15

**GVPCPDGC**

10

**K.SAI KIRAN**

**Roll No:**

65

10

**I YEAR – II SEMESTER**

**DATE:**

10

**CSE**

**Sheet No:**

20

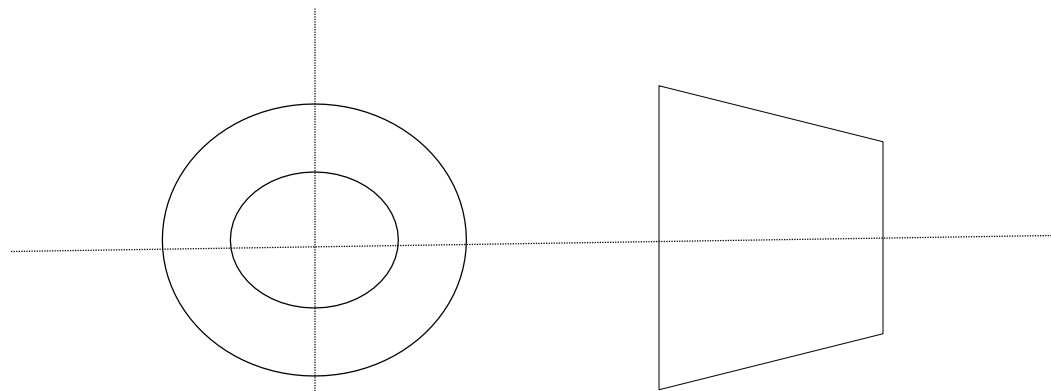
**Title of the Chart**

**Projection  
symbol**

20

185

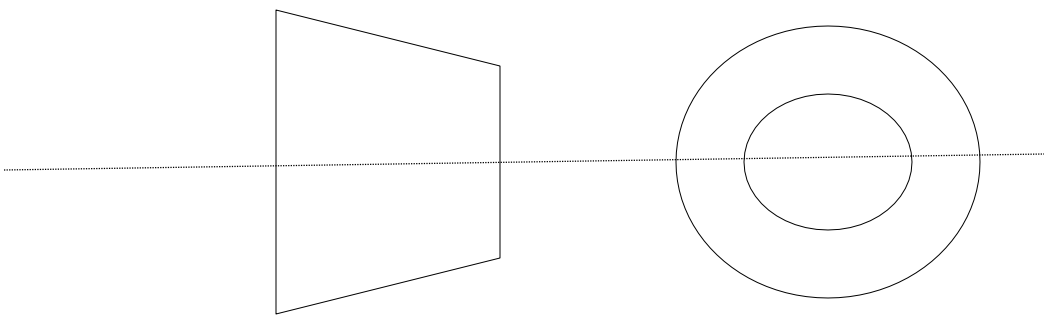




Top view

Top view

First Angle  
projection



Third angle  
projection





# Different types of lines

Part Outlines



Heavy

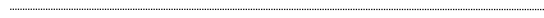


Section Lines



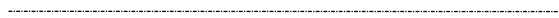
Light

Hidden Lines



Medium

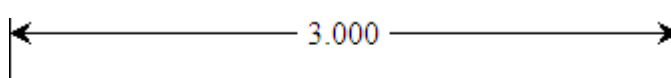
Center Lines



Light



Dimension and Extension Lines



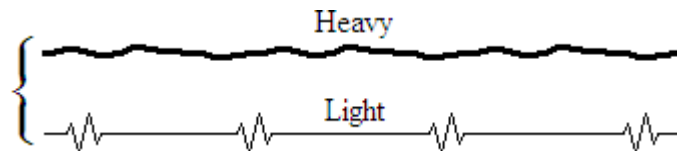
Light

Cutting Plane



Heavy

Breaking lines



# Lettering

- The BIS had divided lettering styles in to two types:
  - Lettering Style A
  - Lettering Style B

Characteristic		Ratio	Dimensions (mm)							
Lettering height										
Height of capitals	h	$\left(\frac{10}{10}\right) h$	2.5	3.5	5	7	10	14	20	
Height of lower-case letters	c	$\left(\frac{7}{10}\right) h$	–	2.5	3.5	5	7	10	14	
Spacing between characters	a	$\left(\frac{2}{10}\right) h$	0.5	0.7	1	1.4	2	2.8	4	
Minimum spacing of base lines	b	$\left(\frac{14}{10}\right) h$	3.5	5	7	10	14	20	28	
Minimum spacing between words	e	$\left(\frac{6}{10}\right) h$	1.5	2.1	3	4.2	6	8.4	12	
Thickness of lines	d	$\left(\frac{1}{10}\right) h$	0.25	0.35	0.5	0.7	1	1.4	2	

# Lettering

- Rules:
  - Lettering is one in capital letters
  - Main titles are generally written in 6 mm to 8 mm
  - Subtitles are written in 3 mm to 6 mm
  - Dimension fig are written in 3 mm to 5 mm
  - Gap between each letter is maintained as 1 mm
  - Lettering style B with Height 5 mm is usually taken.

A B C D E F G H I J K L M N

O P Q R S T U V W X Y Z

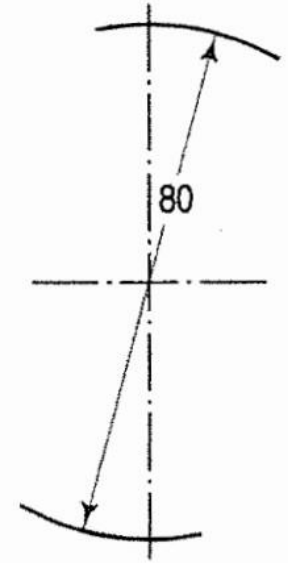
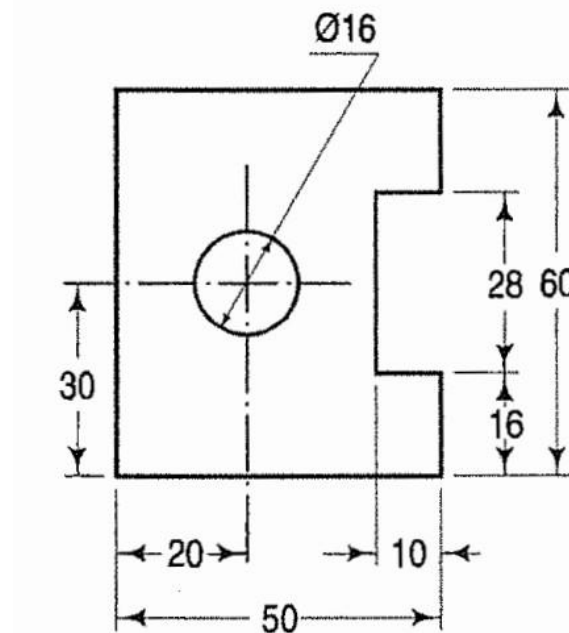
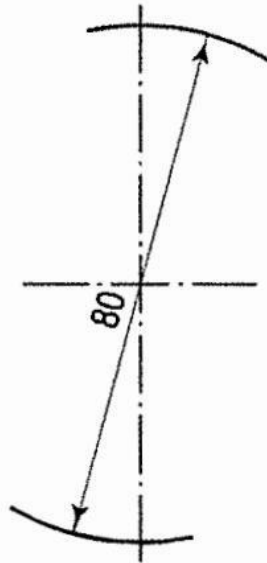
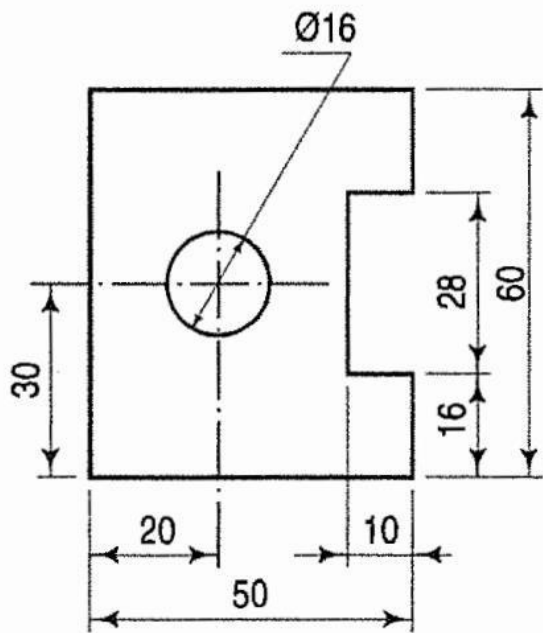
2 3 4 5 6 7 8 9 0

a b c d e f g h i j k l m n o p q r s t

u v w x y z

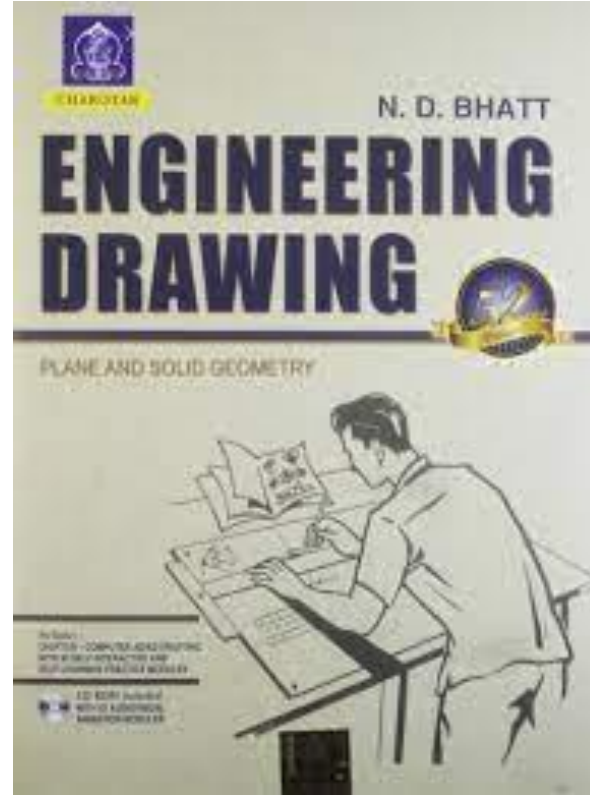
# Dimensioning

- Dimensioning is divided into two types:
  - Aligned system
    - The dimensions should be placed in center of the line
    - Dimension should be mentioned above the line.
  - Unidirectional system
    - The dimensions should be placed in center of the line
    - Dimension is mentioned in the middle of the line by breaking it.





**Always ready with your textbook and tools when there is a class**



# Unit 1 – Introduction to Geometrical Construction and Curves

- **Syllabus**
  - Introduction
    - Lines
    - Lettering and dimensioning
    - Geometrical constructions
  - Curves
    - Construction of conic sections
    - Normal and tangent to curves.

# ENGINEERING CURVES

## Part- I {Conic Sections}

### ELLIPSE

1. Concentric Circle Method
2. Rectangle Method  
(OR)  
Oblong Method
4. Arcs of Circle Method
5. Rhombus Method
6. Basic Locus Method  
(Directrix – focus)

### PARABOLA

1. Rectangle Method
2. Method of Tangents  
(Triangle Method)
3. Basic Locus Method  
(Directrix – focus)

### HYPERBOLA

1. Rectangular Hyperbola  
(coordinates given)
2. Rectangular Hyperbola  
(P-V diagram - Equation given)
3. Basic Locus Method  
(Directrix – focus)

Methods of Drawing  
Tangents & Normals  
To These Curves.

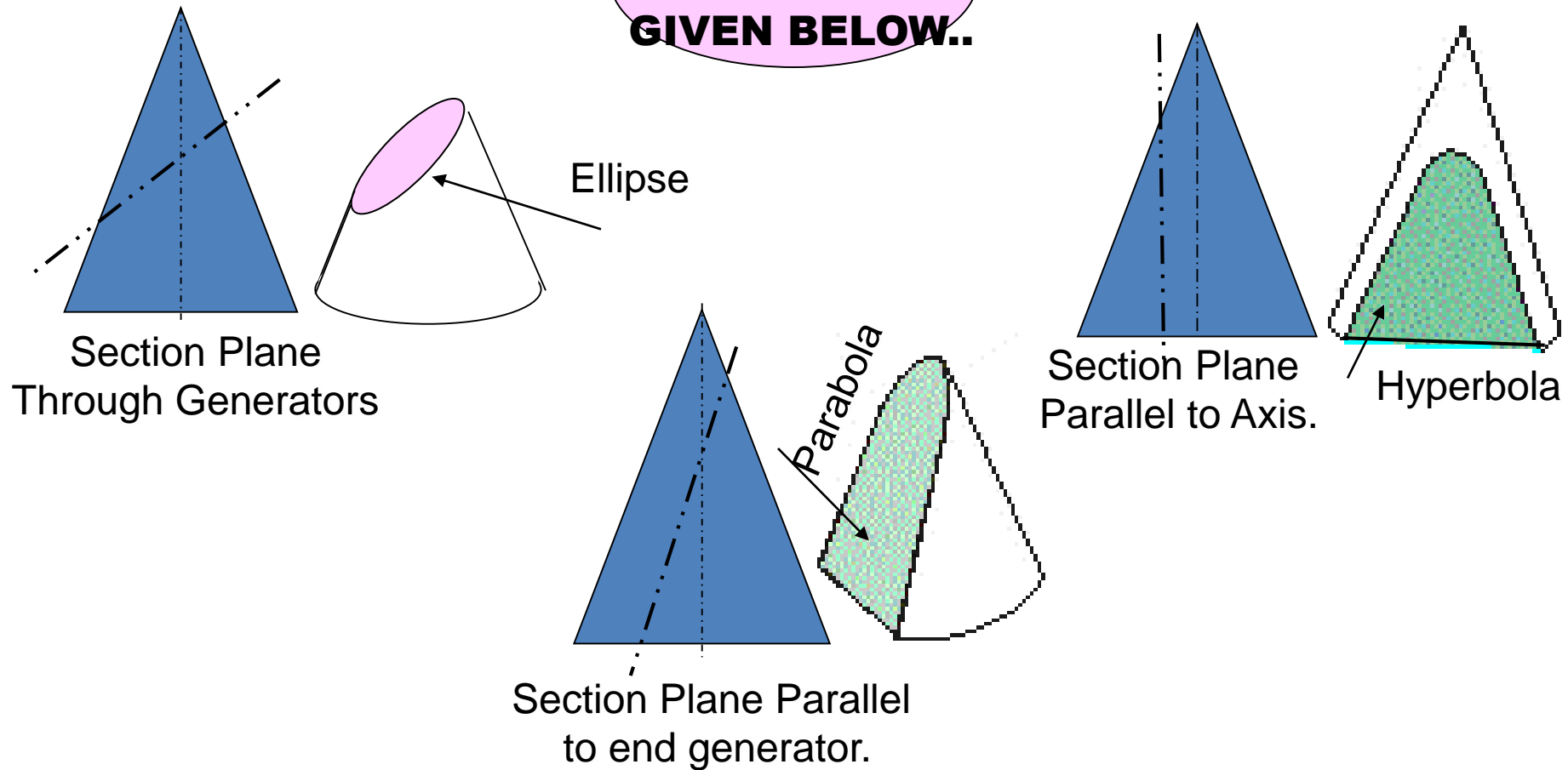


## CONIC SECTIONS

ELLIPSE, PARABOLA AND HYPERBOLA ARE CALLED CONIC SECTIONS  
BECAUSE

THESE CURVES APPEAR ON THE SURFACE OF A CONE  
WHEN IT IS CUT BY SOME TYPICAL CUTTING PLANES.

**OBSERVE  
ILLUSTRATIONS  
GIVEN BELOW..**





## COMMON DEFINATION OF ELLIPSE, PARABOLA & HYPERBOLA:

These are the loci of points moving in a plane such that the ratio of it's distances from a *fixed point* And a *fixed line* always remains constant.

The Ratio is called ECCENTRICITY. (E)

- A) For Ellipse  $E < 1$
- B) For Parabola  $E = 1$
- C) For Hyperbola  $E > 1$

Refer Problem nos. 6. 9 & 12

## SECOND DEFINATION OF AN ELLIPSE:-

It is a locus of a point moving in a plane such that the SUM of it's distances from TWO fixed points always remains constant.

{ And this *sum equals* to the length of *major axis*. }

These TWO fixed points are FOCUS 1 & FOCUS 2

Refer Problem no.4  
Ellipse by Arcs of Circles Method.

# ELLIPSE

BY CONCENTRIC CIRCLE METHOD

Problem 1 :-

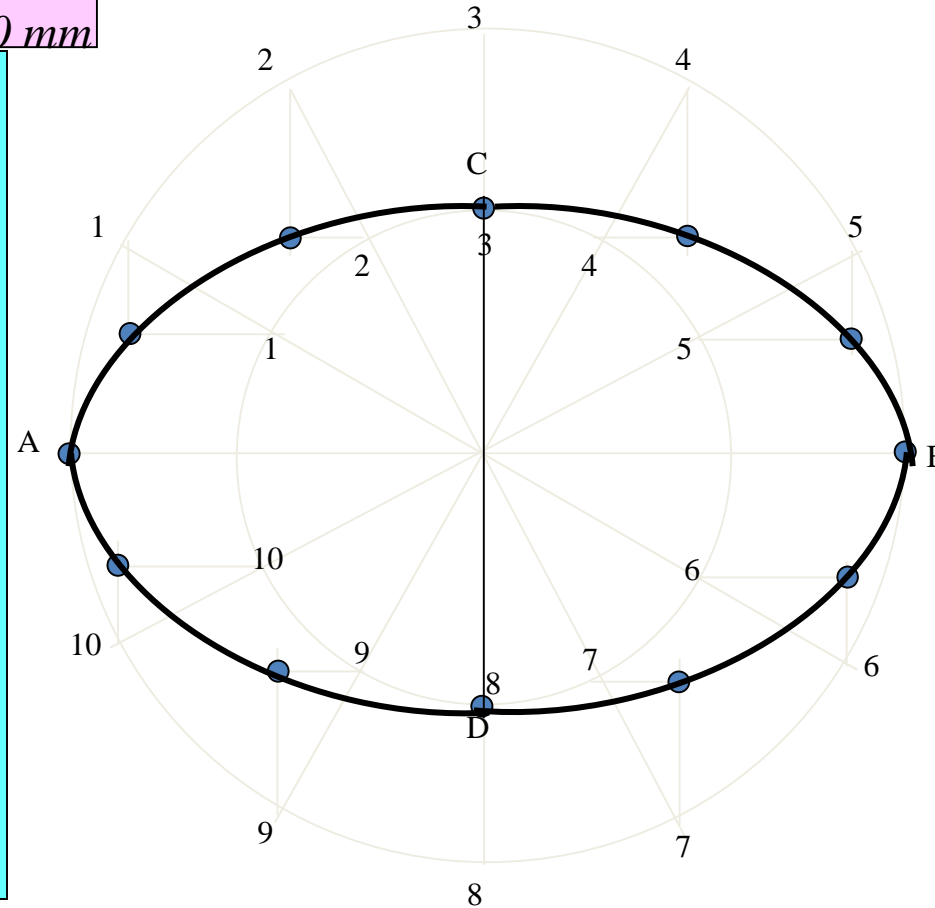
*Draw ellipse by concentric circle method.*

*Take major axis 100 mm and minor axis 80 mm*

Steps:

*long.*

1. Draw both axes as perpendicular bisectors of each other & name their ends as shown.
2. Taking their intersecting point as a center, draw two concentric circles considering both as respective diameters.
3. Divide both circles in 12 equal parts & name as shown.
4. From all points of outer circle draw vertical lines downwards and upwards respectively.
5. From all points of inner circle draw horizontal lines to intersect those vertical lines.
6. Mark all intersecting points properly as those are the points on ellipse.
7. Join all these points along with the ends of both axes in smooth possible curve. It is required ellipse.



# ELLIPSE

BY RECTANGLE METHOD

Steps:

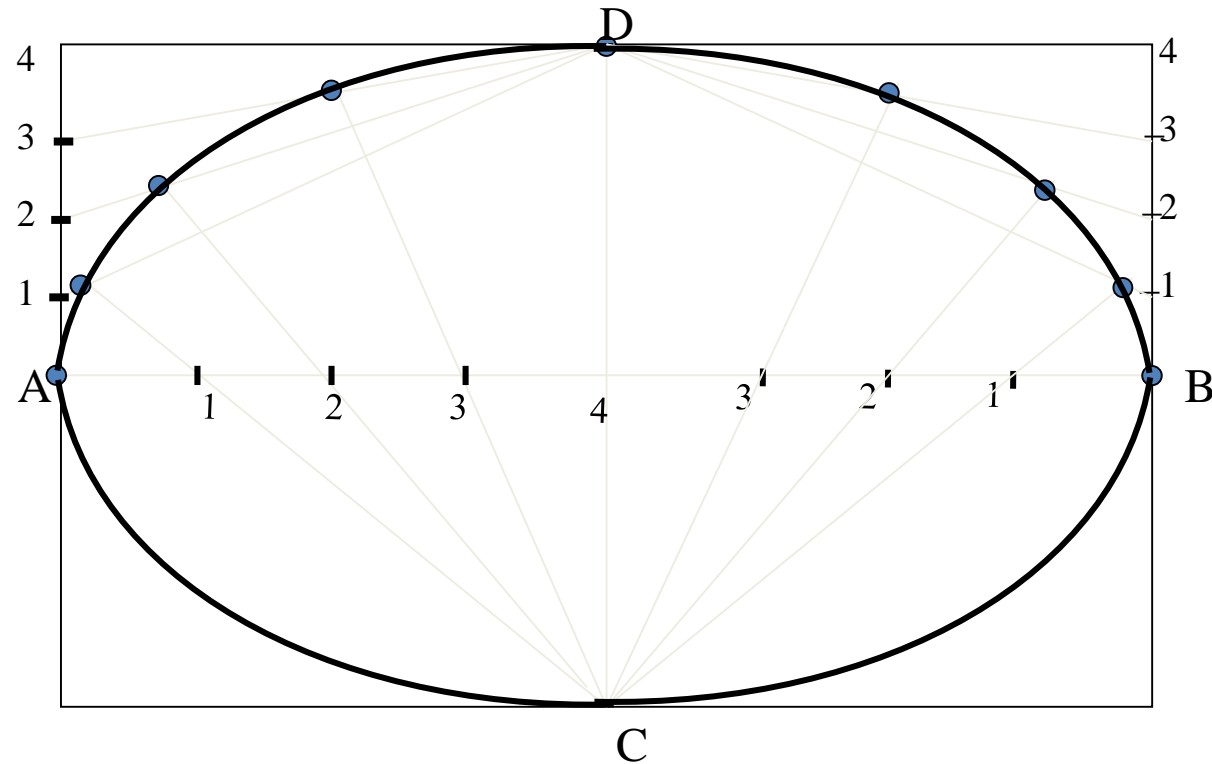
- 1 Draw a rectangle taking major and minor axes as sides.
  2. In this rectangle draw both axes as perpendicular bisectors of each other..
  3. For construction, select upper left part of rectangle. Divide vertical small side and horizontal long side into same number of equal parts.( here divided in four parts)
  4. Name those as shown..
  5. Now join all vertical points 1,2,3,4, to the upper end of minor axis. And all horizontal points i.e.1,2,3,4 to the lower end of minor axis.
  6. Then extend C-1 line upto D-1 and mark that point. Similarly extend C-2, C-3, C-4 lines up to D-2, D-3, & D-4 lines.
  7. Mark all these points properly and join all along with ends A and D in smooth possible curve. Do similar construction in right side part.along with lower half of the rectangle.Join all points in smooth curve.
- It is required ellipse.

## Problem 2

*Draw ellipse by Rectangle method.*

*Take major axis 100 mm and minor axis 70 mm*

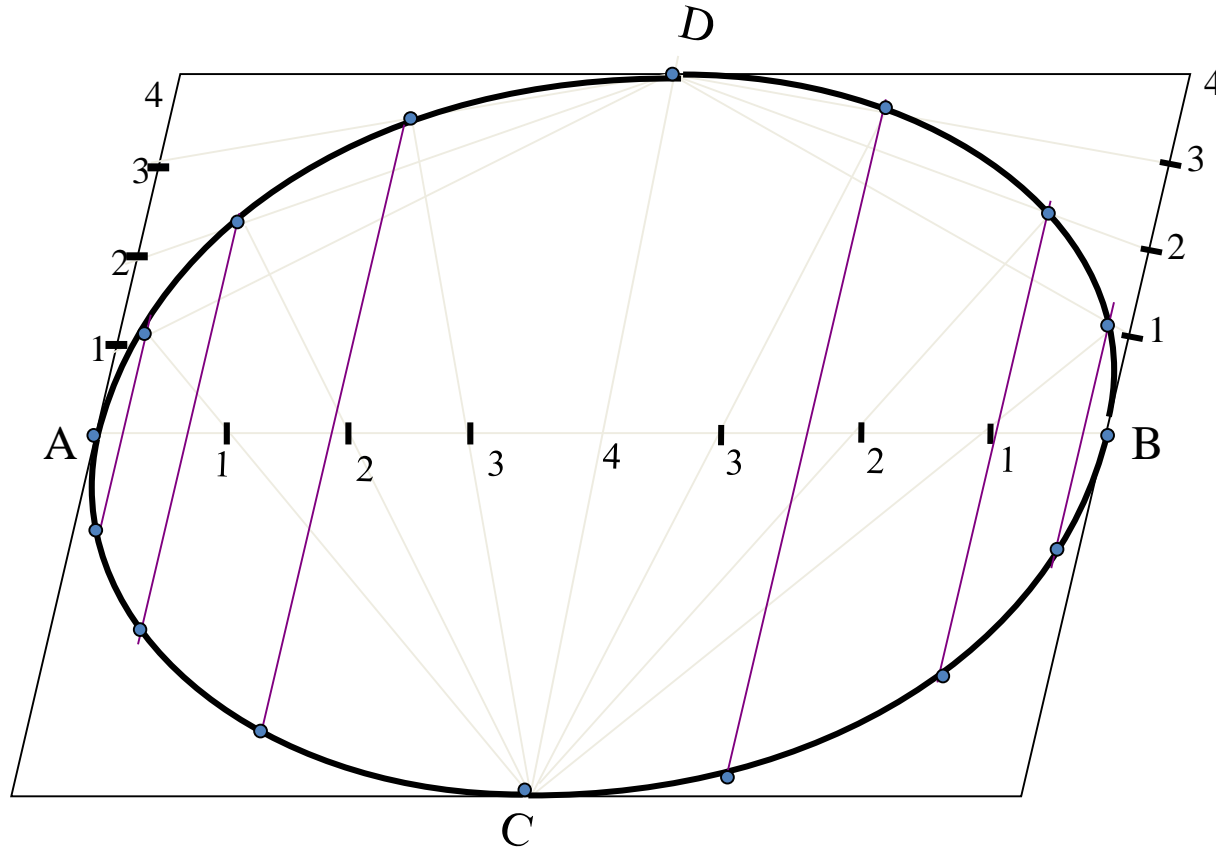
*long.*



**ELLIPSE**  
*BY OBLONG METHOD*

Problem 3:-  
*Draw ellipse by Oblong method.  
Draw a parallelogram of 100 mm and 70 mm  
long sides with included angle of  $75^{\circ}$ . Inscribe*

STEPS ARE SIMILAR TO  
THE PREVIOUS CASE  
(RECTANGLE METHOD)  
ONLY IN PLACE OF RECTANGLE,  
HERE IS A PARALLELOGRAM.



**PROBLEM 4.**

MAJOR AXIS AB & MINOR AXIS CD ARE  
100 AND 70MM LONG RESPECTIVELY  
.DRAW ELLIPSE BY ARCS OF CIRCLES  
METHOD.

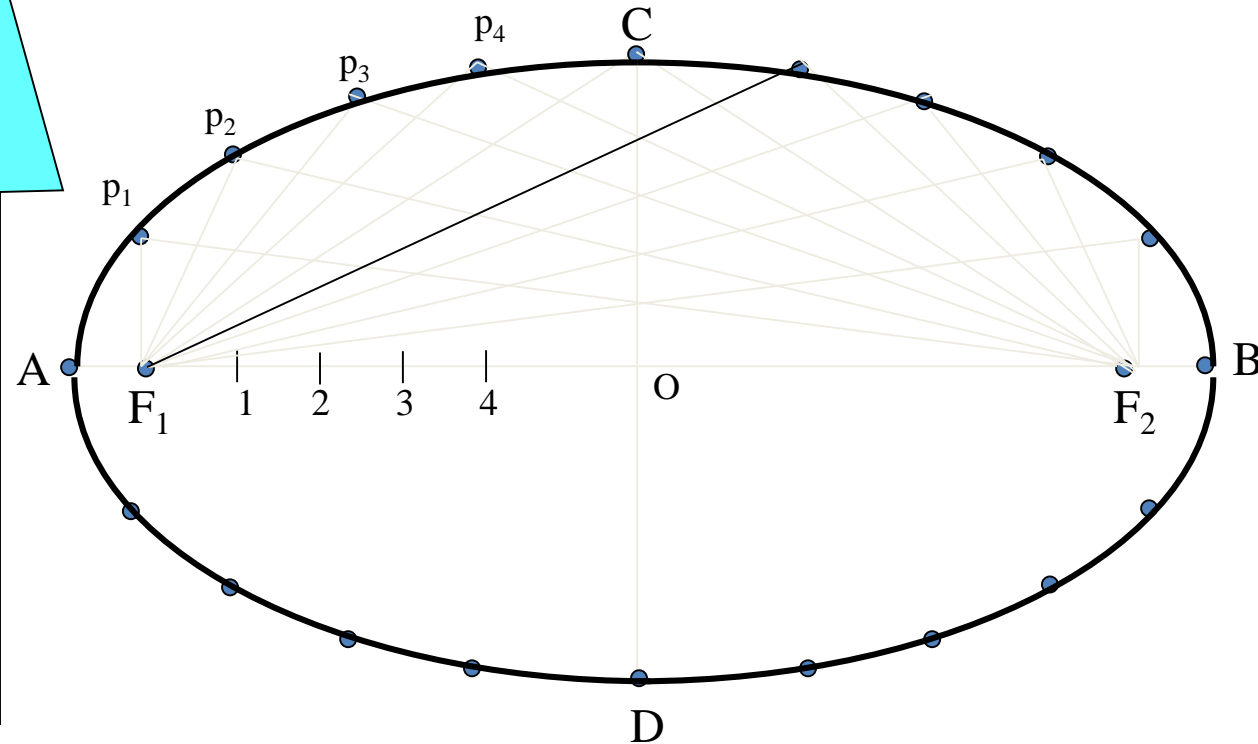
**ELLIPSE**

*BY ARCS OF CIRCLE METHOD*

**STEPS:**

1. Draw both axes as usual. Name the ends & intersecting point
2. Taking AO distance i.e. half major axis, from C, mark  $F_1$  &  $F_2$  on AB . ( focus 1 and 2.)
3. On line  $F_1 - O$  taking any distance, mark points 1, 2, 3, & 4
4. Taking  $F_1$  center, with distance A-1 draw an arc above AB and taking  $F_2$  center, with B-1 distance cut this arc. Name the point  $p_1$
5. Repeat this step with same centers but taking now A-2 & B-2 distances for drawing arcs. Name the point  $p_2$
6. Similarly get all other P points.  
With same steps positions of P can be located below AB.
7. Join all points by smooth curve to get an ellipse/

As per the definition Ellipse is locus of point P moving in a plane such that the **SUM** of it's distances from two fixed points ( $F_1$  &  $F_2$ ) remains constant and equals to the length of major axis AB. (Note A . 1 + B . 1 = A . 2 + B . 2 = AB)

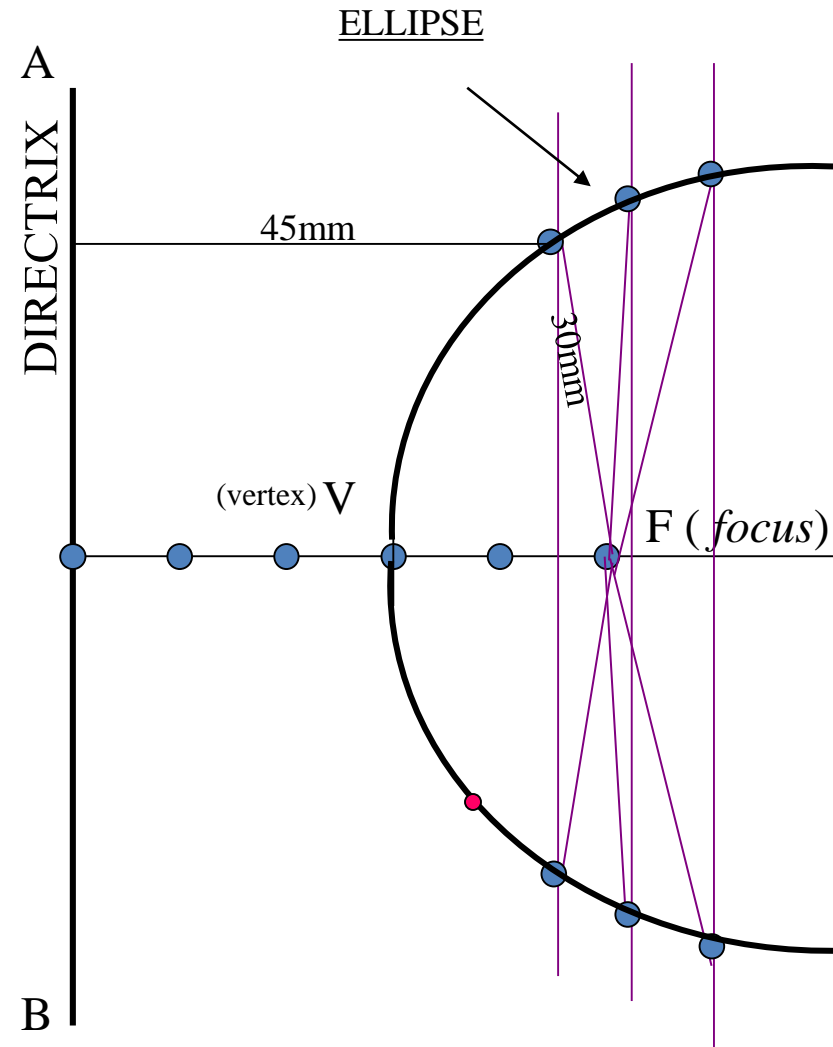


**PROBLEM 6:-** POINT F IS 50 MM FROM A LINE AB. A POINT P IS MOVING IN A PLANE SUCH THAT THE RATIO OF IT'S DISTANCES FROM F AND LINE AB REMAINS CONSTANT AND EQUALS TO 2/3 DRAW LOCUS OF POINT P. { **ECCENTRICITY = 2/3** }

**ELLIPSE**  
*DIRECTRIX-FOCUS METHOD*

**STEPS:**

1. Draw a vertical line AB and point F 50 mm from it.
  2. Divide 50 mm distance in 5 parts.
  3. Name 2<sup>nd</sup> part from F as V. It is 20mm and 30mm from F and AB line resp. It is first point giving ratio of it's distances from F and AB 2/3 i.e 20/30
  4. Form more points giving same ratio such as 30/45, 40/60, 50/75 etc.
  5. Taking 45,60 and 75mm distances from line AB, draw three vertical lines to the right side of it.
  6. Now with 30, 40 and 50mm distances in compass cut these lines above and below, with F as center.
  7. Join these points through V in smooth curve.
- This is required locus of P. It is an ELLIPSE.



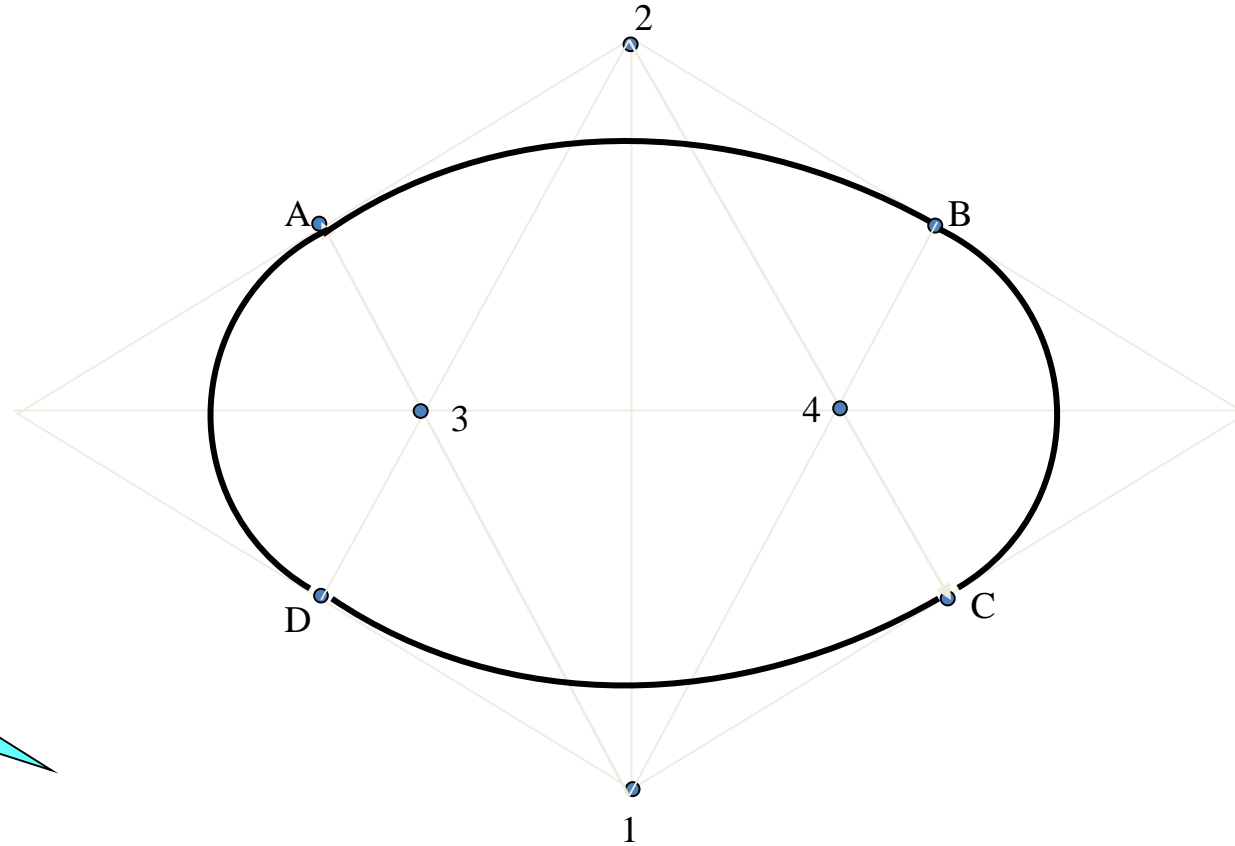
**PROBLEM 5.**

**DRAW RHOMBUS OF 100 MM & 70 MM LONG  
DIAGONALS AND INSCRIBE AN ELLIPSE IN IT.**

**ELLIPSE**  
*BY RHOMBUS METHOD*

**STEPS:**

1. Draw rhombus of given dimensions.
2. Mark mid points of all sides & name Those A,B,C,& D
3. Join these points to the ends of smaller diagonals.
4. Mark points 1,2,3,4 as four centers.
5. Taking 1 as center and 1-A radius draw an arc AB.
6. Take 2 as center draw an arc CD.
7. Similarly taking 3 & 4 as centers and 3-D radius draw arcs DA & BC.



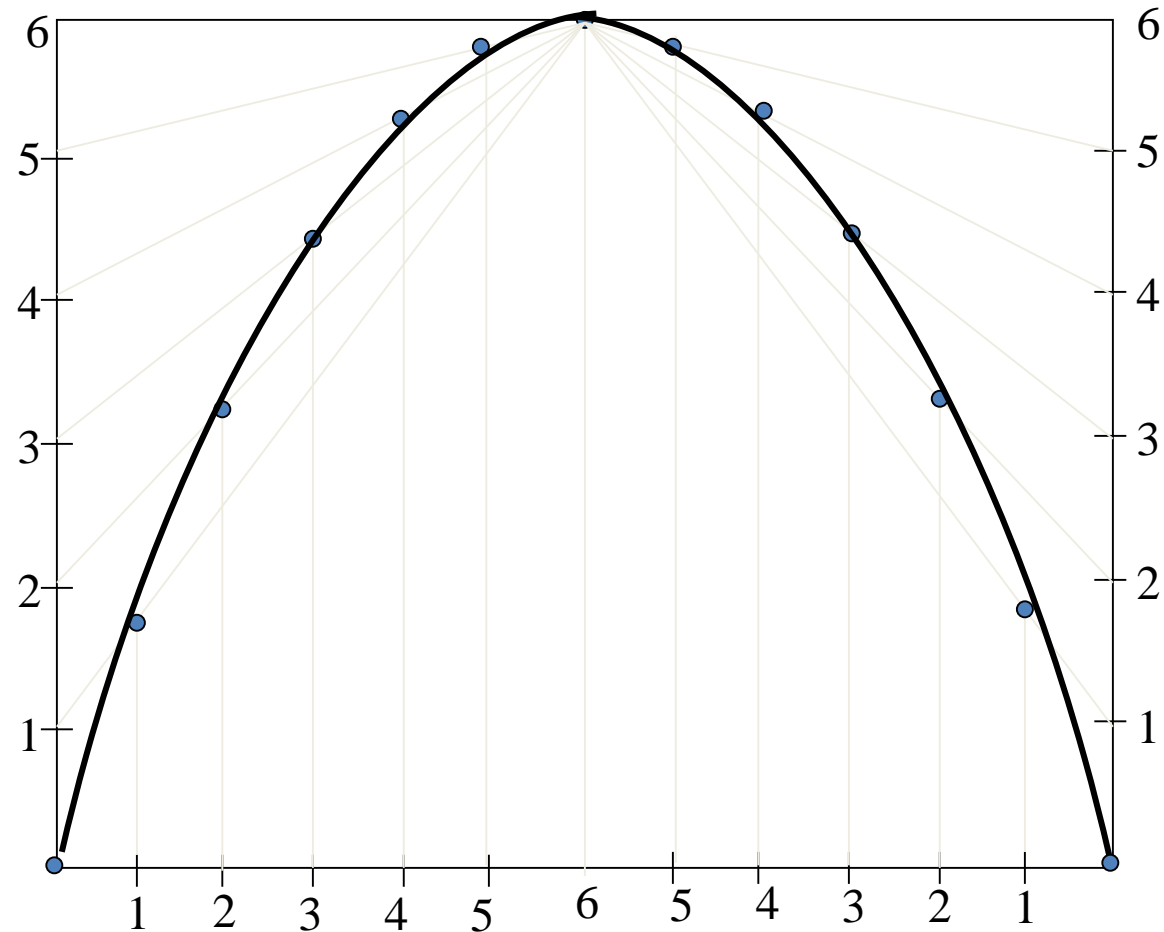


PROBLEM 7: A BALL THROWN IN AIR ATTAINS 100 M HIEGHT AND COVERS HORIZONTAL DISTANCE 150 M ON GROUND.  
Draw the path of the ball (projectile)-

## PARABOLA RECTANGLE METHOD

### STEPS:

1. Draw rectangle of above size and divide it in two equal vertical parts
2. Consider left part for construction. Divide height and length in equal number of parts and name those 1,2,3,4,5 & 6
3. Join vertical 1,2,3,4,5 & 6 to the top center of rectangle
4. Similarly draw upward vertical lines from horizontal 1,2,3,4,5. And wherever these lines intersect previously drawn inclined lines in sequence Mark those points and further join in smooth possible curve.
5. Repeat the construction on right side rectangle also. Join all in sequence. This locus is Parabola.

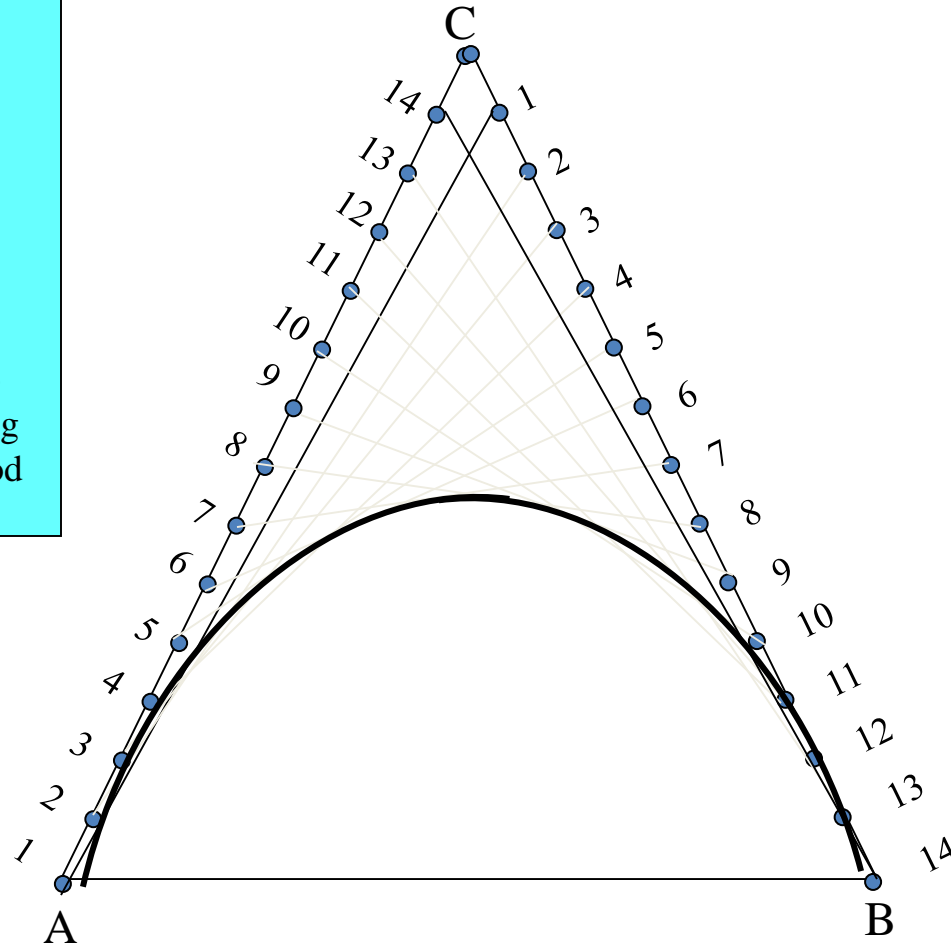


Problem no.8: Draw an isosceles triangle of 100 mm long base and 110 mm long altitude. Inscribe a parabola in it by method of tangents.

## PARABOLA METHOD OF TANGENTS

Solution Steps:

1. Construct triangle as per the given dimensions.
2. Divide its both sides into same no. of equal parts.
3. Name the parts in ascending and descending manner, as shown.
4. Join 1-1, 2-2, 3-3 and so on.
5. Draw the curve as shown i.e. tangent to all these lines. The above all lines being tangents to the curve, it is called method of tangents.



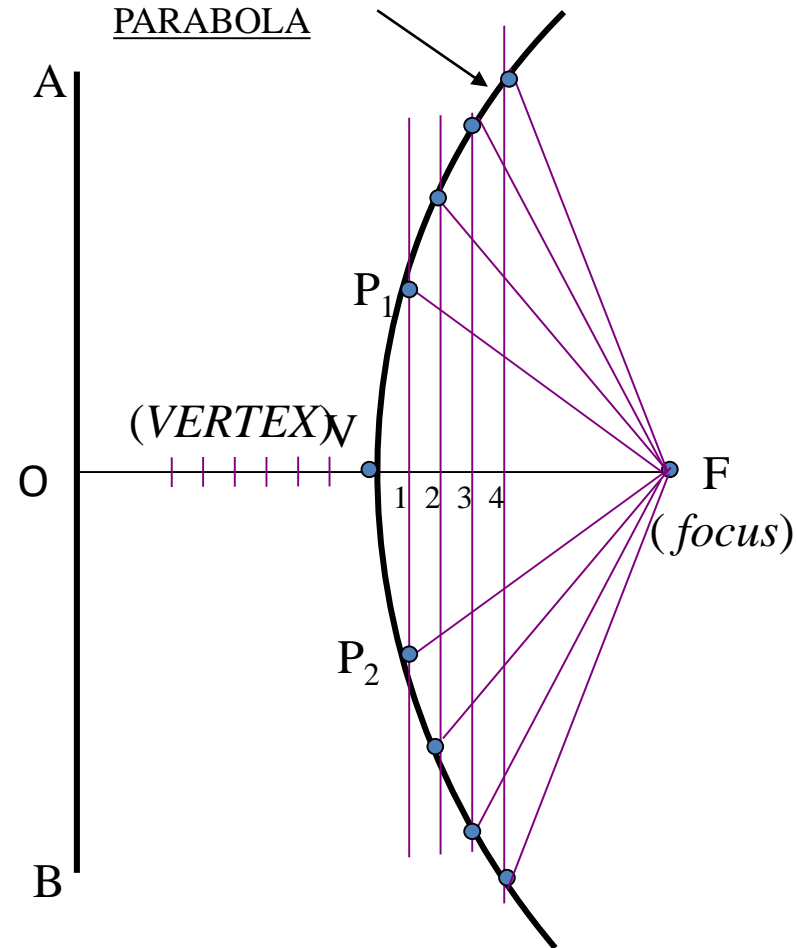
PROBLEM 9: Point F is 50 mm from a vertical straight line AB. Draw locus of point P, moving in a plane such that it always remains equidistant from point F and line AB.

## PARABOLA DIRECTRIX-FOCUS METHOD

### SOLUTION STEPS:

1. Locate center of line, perpendicular to AB from point F. This will be initial point P and also the vertex.
2. Mark 5 mm distance to its right side, name those points 1,2,3,4 and from those draw lines parallel to AB.
3. Mark 5 mm distance to its left of P and name it 1.
4. Take O-1 distance as radius and F as center draw an arc cutting first parallel line to AB. Name upper point  $P_1$  and lower point  $P_2$ . ( $FP_1=O1$ )
5. Similarly repeat this process by taking again 5mm to right and left and locate  $P_3, P_4$ .
6. Join all these points in smooth curve.

It will be the locus of P equidistance from line AB and fixed point F.

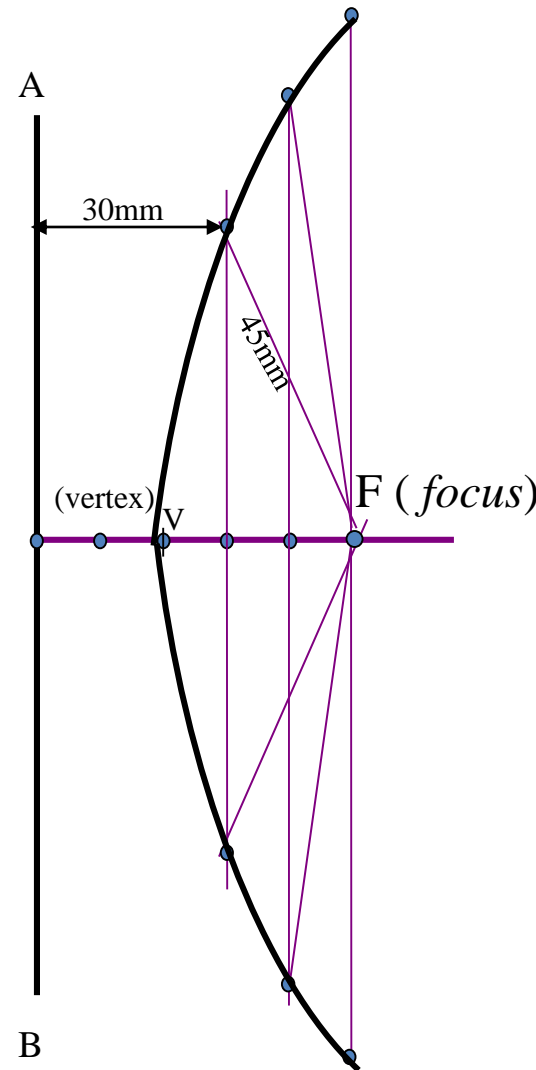


**PROBLEM 12:-** POINT F IS 50 MM FROM A LINE AB. A POINT P IS MOVING IN A PLANE SUCH THAT THE RATIO OF IT'S DISTANCES FROM F AND LINE AB REMAINS CONSTANT AND EQUALS TO 2/3. DRAW LOCUS OF POINT P. { **ECCENTRICITY = 2/3** }

HYPERBOLA  
DIRECTRIX  
FOCUS METHOD

**STEPS:**

1. Draw a vertical line AB and point F 50 mm from it.
  2. Divide 50 mm distance in 5 parts.
  3. Name 2<sup>nd</sup> part from F as V. It is 20mm and 30mm from F and AB line resp. It is first point giving ratio of it's distances from F and AB 2/3 i.e 20/30
  4. Form more points giving same ratio such as 30/45, 40/60, 50/75 etc.
  5. Taking 45, 60 and 75mm distances from line AB, draw three vertical lines to the right side of it.
  6. Now with 30, 40 and 50mm distances in compass cut these lines above and below, with F as center.
  7. Join these points through V in smooth curve.
- This is required locus of P. It is an ELLIPSE.





# ENGINEERING CURVES

## Part-II

(Point undergoing two types of displacements)

INVOLUTE	CYCLOID	SPIRAL	HELIX
1. Involute of a circle a)String Length = $\pi D$  b)String Length $> \pi D$  c)String Length $< \pi D$	1. General Cycloid  2. Trochoid ( superior) 3. Trochoid ( Inferior) 4. Epi-Cycloid  5. Hypo-Cycloid	1. Spiral of One Convolution.  2. Spiral of Two Convolution.	1. On Cylinder  2. On a Cone
2. Pole having Composite shape.			
3. Rod Rolling over a Semicircular Pole.			

**AND**

Methods of Drawing  
Tangents & Normals  
To These Curves.

# DEFINITIONS



## **CYCLOID:**

IT IS A LOCUS OF A POINT ON THE PERIPHERY OF A CIRCLE WHICH ROLLS ON A STRAIGHT LINE PATH.

## **INVOLUTE:**

IT IS A LOCUS OF A FREE END OF A STRING WHEN IT IS WOUND ROUND A CIRCULAR POLE

## **SPIRAL:**

IT IS A CURVE GENERATED BY A POINT WHICH REVOLVES AROUND A FIXED POINT AND AT THE SAME MOVES TOWARDS IT.

## **HELIX:**

IT IS A CURVE GENERATED BY A POINT WHICH MOVES AROUND THE SURFACE OF A RIGHT CIRCULAR CYLINDER / CONE AND AT THE SAME TIME ADVANCES IN AXIAL DIRECTION AT A SPEED BEARING A CONSTANT RATIO TO THE SPEED OF ROTATION.

### *SUPERIORTROCHOID:*

IF THE POINT IN THE DEFINATION OF CYCLOID IS OUTSIDE THE CIRCLE

### *INFERIOR TROCHOID.:*

IF IT IS INSIDE THE CIRCLE

### *EPI-CYCLOID*

IF THE CIRCLE IS ROLLING ON ANOTHER CIRCLE FROM OUTSIDE

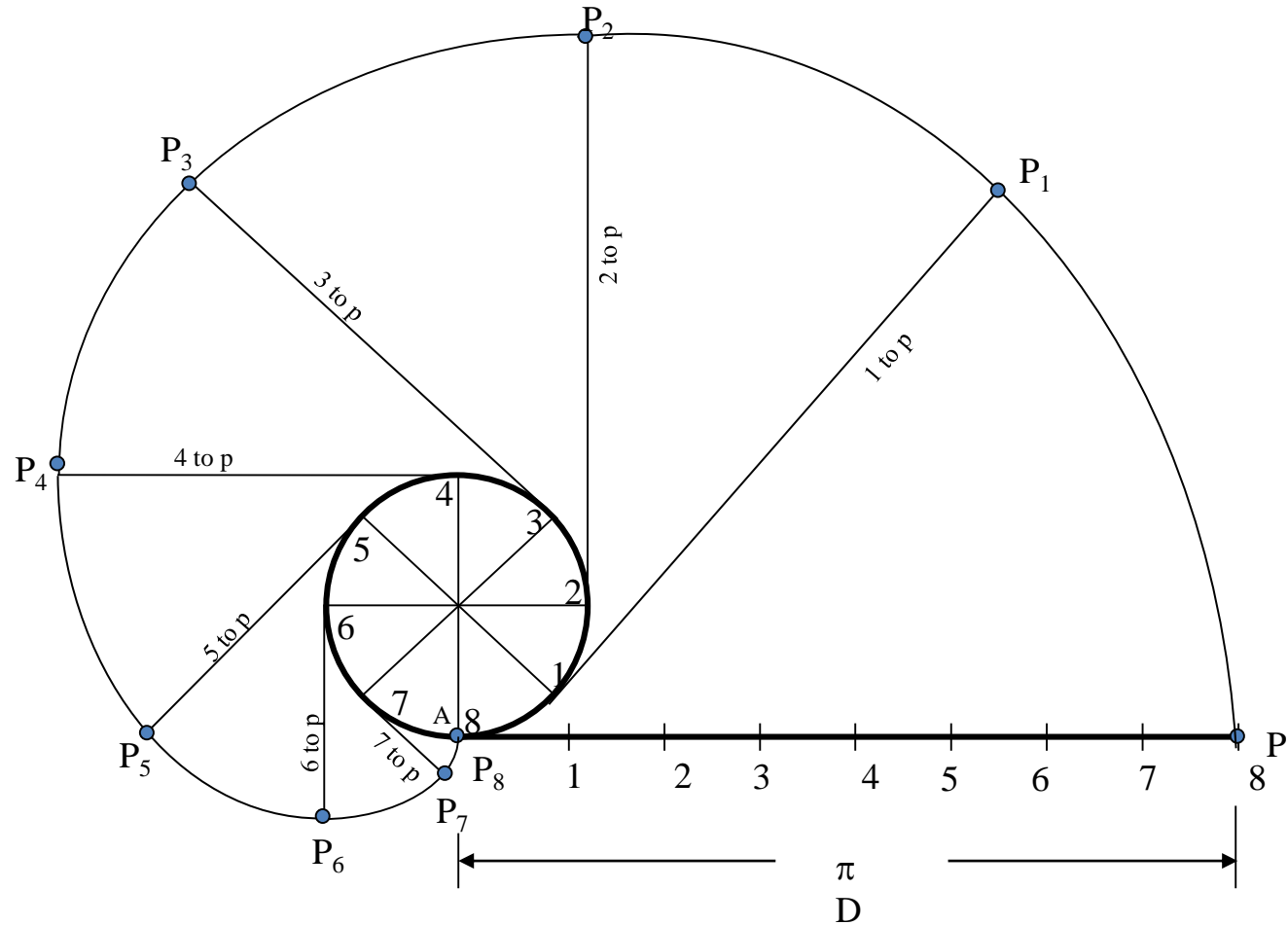
### *HYPO-CYCLOID.*

IF THE CIRCLE IS ROLLING FROM INSIDE THE OTHER CIRCLE,

**Problem no 17: Draw Involute of a circle.**  
**String length is equal to the circumference of circle.**

*Solution Steps:*

- 1) Point or end P of string AP is exactly  $\pi D$  distance away from A. Means if this string is wound round the circle, it will completely cover given circle. B will meet A after winding.
- 2) Divide  $\pi D$  (AP) distance into 8 number of equal parts.
- 3) Divide circle also into 8 number of equal parts.
- 4) Name after A, 1, 2, 3, 4, etc. up to 8 on  $\pi D$  line AP as well as on circle (in anticlockwise direction).
- 5) To radius C-1, C-2, C-3 up to C-8 draw tangents (from 1,2,3,4,etc to circle).
- 6) Take distance 1 to P in compass and mark it on tangent from point 1 on circle (means one division less than distance AP).
- 7) Name this point P1
- 8) Take 2-B distance in compass and mark it on the tangent from point 2. Name it point P2.
- 9) Similarly take 3 to P, 4 to P, 5 to P up to 7 to P distance in compass and mark on respective tangents and locate P3, P4, P5 up to P8 (i.e. A) points and join them in smooth curve it is an INVOLUTE of a given circle.



**PROBLEM 20 :** A POLE IS OF A SHAPE OF HALF HEXAGON AND SEMICIRCLE.  
 A STRING IS TO BE WOUND HAVING LENGTH EQUAL TO THE POLE PERIMETER  
 DRAW PATH OF FREE END *P* OF STRING WHEN WOUND COMPLETELY.  
 (Take hex 30 mm sides and semicircle of 60 mm diameter.)

INVOLUTE  
 OF  
 COMPOSIT SHAPED POLE

**SOLUTION STEPS:**

Draw pole shape as per dimensions.

Divide semicircle in 4 parts and name those along with corners of hexagon.

Calculate perimeter length.

Show it as string AP.

On this line mark 30mm from A

Mark and name it 1

Mark  $\pi D/2$  distance on it from 1

And dividing it in 4 parts name 2,3,4,5.

Mark point 6 on line 30 mm from 5

Now draw tangents from all points of pole and proper lengths as done in all previous involute's problems and complete the curve.

